# Statistical Potentials for Prediction of Protein-Protein Interactions 



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A thesis submitted towards partial fulfilment of BS-MS Dual Degree Programme

## by

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## Certificate

This is to certify that this dissertation entitled "Statistical Potentials for Prediction of Protein-Protein Interactions" submitted towards the partial fulfilment of the BS-MS dual degree programme at the Indian Institute of Science Education and Research Pune represents original research carried out by "Abhilesh Dhawanjewar" at "IISER Pune", under the supervision of "Dr. M.S. Madhusudhan, Associate Professor, Biology" during the academic year 2014-2015.


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## Declaration

I hereby declare that the matter embodied in the report entitled "Statistical Potentials for Prediction of ProteinProtein Interactions" are the results of the investigations carried out by me at the Department of Biology, Indian Institute of Science Education and Research, Pune, under the supervision of Dr. M.S. Madhusudhan and the same has not been submitted elsewhere for any other degree.


Student

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## Abstract

Protein-Protein Interactions are critical to life, playing crucial roles in a variety of cellular processes. Hence, prediction of protein-protein interactions would help in gaining insights into cellular processes so that we may be able to manipulate and control it. In this study, we have developed knowledge-based pairwise statistical potentials based on experimentally derived structures for the prediction of protein-protein complexes. Structures of protein dimers in the Protein Data Bank (PDB) were used for the construction of the statistical potentials. A total of 96 different pairwise potentials were constructed for different values of five parameters: distance threshold for interactions, interacting atom types, weight type, weighting scheme and reference state. The performance of these potentials was benchmarked using Receiver Operating Characteristics (ROC) curves and Rank-Ordering. The side chain-side chain pairwise potentials were the best performers keeping all other parameters constant. The best performing pairwise potential could discriminate native structures from a sequence-randomized background in a benchmark set of 296 structures with a false positive rate of $1.4 \%$ and a true positive rate of $98.6 \%$. This result is an improvement over the MODTIE potential which had a false positive rate of $28.5 \%$ and a true positive rate of $71.5 \%$. The pairwise potentials are also complementary to each other, in the sense that they are efficient on different subsets of the benchmark set. Hence, a combination of the different potentials could result in better prediction accuracy. An attempt towards the development of a 5-body potential based on the pairwise potential was also initiated. Two different versions, an unweighted and a weighted potential were developed. The weighted multi-body potentials performed better than the unweighted potential. These multi-body potentials will be further refined, which is a work in progress. This prediction system will be bundled into a web server in the near future.

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## Chapter 1

## Introduction


#### Abstract

"You see, proteins, as I probably needn't tell you, are immensely complicated groupings of amino acids and certain other specialized compounds, arranged in intricate three-dimensional patterns that are as unstable as sunbeams on a cloudy day. It is this instability that is life, since it is forever changing it's position in an effort to maintain it's identity in the manner of a long rod balanced on an acrobat's nose."


- Isaac Asimov, Pebble in the Sky


### 1.1 Protein Interfaces

Proteins are generally referred to as Biology's Workforce, as they perform nearly every function required for life. Proteins are polypeptide chains, consisting of amino acids linked in a linear chain. Amino acids, the building blocks of proteins consist of an amino group, a carboxyl group and an amino acid specific side chain. The properties of different amino acids determine the kinds of interatomic interactions between them. To carry out its function, a protein needs to be folded in a specific three dimensional shape. The 3D structure of a protein is largely dependent on its amino acid sequence, as particular sequences of amino acids give rise to linear chains and other compact domains with specific structures.

Most cellular processes require proteins to often work in concert, forming complexes of varying shapes and sizes, transporting other proteins, modifying other proteins etc. Unsurprisingly, Protein - Protein Interactions underlie a range of cellular processes such as mediating signal transduction, translating energy to physical motion, regulating cellular metabolism, immunological response and enzymatic inhibition, hence playing a critical role in many biological pathways (Braun and Gingras, 2012). Some parts of the protein would need to interact with other proteins and hence would form the interface. Proteins inside a cell are diffusing randomly and colliding with one another all the time, but only a small fractions of these collisions result in biologically meaningful complexes and some chemistry (active - such as enzymatic activity, or pas-


Subunit 1
Subunit 2

Figure 1.1: The interface between subunits of an RNA binding protein (PDB: 3S6E chains A \& B) is shown in surface representation. The rest of the protein complex is in ribbon representation (Subunit A is coloured brown and Subunit B is coloured blue). This figure was rendered using Chimera (Pettersen et al., 2004).
sive - such as protein transport).Identifying the general rules behind protein-protein interactions is hence necessary for understanding the full repertoire of cellular pathways. The prediction of protein-protein interfaces can lead to advances in understanding disease pathways which involve aberrant protein-protein interactions such as cancer (Wong et al., 2003) and protein aggregate formations such as the Alzheimer's disease, Huntington's disease, Parkinson's disease, Creutzfeldt-Jakob disease and other Prion disorders (Kaytor and Warren, 1999) .

### 1.1.1 General Properties of Protein-Protein Interfaces

Protein-Protein interactions have been broadly categorized as homo- or hetero-oligomeric; obligate or nonobligate and transient or permanent (Nooren and Thornton, 2003). If identical proteins come together to form a complex, the resulting complex is termed as a homo-oligomer. Accordingly, assemblies of proteins with different subunits are termed as hetero-oligomeric. If the individual subunits of a complex can exist in solution independently, then the interaction between the subunits is a non-obligate one; in contrast, if the structure and function of the subunits is lost upon separation, it is an obligate interaction. Based on the lifetime of the interactions, protein associations are classified as transient (short-term interactions) or permanent (long-term interactions). These six different types of protein complexes differ in their amino-acid content and residue residue contact preferences (Ofran and Rost, 2003). Most protein complexes are a combination of these categories. The shape of a protein-protein interface (Figure 1.1) has been observed to be planar, globular and protruding, probably due to the symmetry involved in the associations (Argos, 1988, Jones and Thornton, 1996).

Earlier studies concerning protein folding ascribed hydrophobic effect as the major driving force behind protein folding (Dill, 1990). The folding of polypeptide chains buries the non-polar residues in the protein,
minimising the number of thermodynamically unfavourable solute-solvent interactions. This burying of the hydrophobic residues resulting in the reduction of free energy also occurs during the aggregation of protein subunits and hence the hydrophobic effect is fundamental to the stabilisation of protein association as well (Chothia and Janin, 1975). However, contradictions between the measured values for enthalpy and entropy and the expected values for hydrophobic interactions have been noted for several protein association processes suggesting that it is not possible to account for the stability of protein associations on the basis of hydrophobic interactions alone (Ross and Subramanian, 1981). Analyses of multimeric protein structures in contemporary times have lead to the inclusion of electrostatic interactions (both long range coulombic interactions and short range hydrogen bonds and salt bridges) (Sheinerman et al., 2000, Xu et al., 1997), van der Waals forces, and hydrophobicity as major driving forces governing the association of proteins. Other forces such as aromatic stacking (Burley and Petsko, 1985), disulfide bonds, and cation- $\pi$ interactions (Crowley and Golovin, 2005) also contribute to varying degrees.

### 1.1.2 The Protein Binding Phenomenon

The subunits in a protein complex are synthesised as separate proteins which then come together and bind in a particular orientation to give rise to the protein complex. The surfaces of the subunits in the monomeric state are completely hydrated. The hydrophilic amino acids residues on the protein surface make stabilising polar contacts and hydrogen bonds with the molecules of the solvent. Hence, for binding to take place between the subunits of a protein complex, the intermolecular interactions between the subunits must be more stabilising than the destabilisation caused by the desolvation of the subunit surfaces. The binding of a protein can be described as a two-step reaction:

$$
\begin{equation*}
A+B \rightleftharpoons A: B \rightleftharpoons A B \tag{1.1}
\end{equation*}
$$

where $A$ and $B$ are the free proteins, $A: B$ is the intermediate complex (also known as the encounter complex) and $A B$ is the bound protein complex (Selzer and Schreiber, 2001). The two subunits diffuse randomly in solution, their motions dictated by the dynamics of Brownian motion, until they reach an area, known as the steering region, the region where both the subunits are close enough to experience mutual electrostatic attraction. These aforementioned long-range electrostatic interactions cause the subunits to collide and form an encounter complex. At this stage, the short range electrostatic forces start acting at the interface of two proteins and contribute to the stabilisation of the encounter complex. Partial desolvation of the interface also contributes to a favourable entropy adding to the stability of the encounter complex (Ross and Subramanian, 1981). The electrostatic attractions between the two subunits hold the subunits associated to each other for a longer time, allowing them to achieve a proper orientation for binding (Sheinerman et al., 2000).

The interaction regions on proteins also contain binding motifs called anchor residues, that help stabilise protein complexes by reducing the kinetic costs associated with structural rearrangements at the protein
binding sites (Rajamani et al., 2004). Molecular Dynamics simulations suggest that the side chains of these anchor residues frequently visit the conformations that are observed in the final bound state. They are also part of the complementary binding pockets often found on protein interfaces. Along with providing molecular recognition, these residues stabilise the encounter complexes that are in a near-native conformation. Further rearrangements in the side chains of amino acid residues, desolvation of the interface and the formation of non-covalent bonds lead to the final association in the stable complex. As a part of these events, certain latch residues present on the protein interface lock the subunits into the final stable conformation (Rajamani et al., 2004).

### 1.1.3 Experimental Determination of Protein Interfaces

Protein-protein interfaces can be experimentally determined using different methods. Some of the most commonly used methods are:

- X-ray crystallography: The three-dimensional coordinates of the atoms of a protein are estimated by analysing the diffracted angles and intensities of X-ray beams shone at a crystallised protein. Inherently, this method is unsuitable for determining the structures of proteins that are difficult to crystallize. This method also captures only a screenshot of the dynamic positions of the atoms of the protein. Despite these limitations, X-ray crystallography methods are the most popular to determine protein structure. Around 89 \% of structures in the PDB are determined using X-ray Crystallography. However, only about 45 \% of these structures depict protein-protein interactions.
- Nuclear Magnetic Resonance (NMR) spectroscopy: Determination of molecular structures using NMR spectroscopy measures the chemical shifts in the nuclei of the atoms in the protein, which are dependent on nearby atoms and their distances from each other, when the protein is placed in a strong magnetic field. This generates a list of constraints which can then be used to build a model of the protein describing the location of each atom. Since NMR spectroscopy is done on proteins in solutions, several models of the protein can be built, which can provide insight into the dynamics of the protein, unlike X-ray crystallography. A major limitation for this method is that it can only be used to determine the structure of smaller protein complexes. Currently, around $10 \%$ of protein structures submitted in the PDB were solved using NMR spectroscopy. However, the number of interactions elucidated by NMR is much smaller.
- Electron Microscopy: Using a focused beam of accelerated electrons as the illumination source, electron microscopy is used to create images of large macromolecular structures. Proteins can be crystallized and then imaged by electron microscopy in a method similar to the one used in X-ray crystallographic methods of protein structure determination. Several images, providing different views may be taken for some symmetrical protein molecules. These images are then analysed and combined together to produce a three-dimensional map of the proteins atoms. This method is useful for producing
low resolution maps of complex shapes but often cannot resolve the positions of individual amino acid residues.
- Chemical cross-linking followed by mass spectrometry: In this method, the protein complex is purified and tagged, its subunits are cross-linked by subjecting them to cross-linking reactions and then identified using mass spectrometry. This method is useful for producing low resolution structures of transient proteins. The cross-linking experiments are subject to several conditions and hence are error-prone processes.

Another set of experimental methods to detect protein interface residues exist such as the yeast twohybrid method, which involves the construction of two plasmids and transforming them into a yeast strain. One of the plasmids encodes protein $X$ with the DNA-binding domain of a transcription factor, while the other plasmid encodes the second protein $Y$ in-frame with a transcription activation domain. Interactions between proteins $X$ and $Y$ reconstitutes an active transcription factor which binds upstream of the reporter genes and enables their expression (Causier and Davies, 2002). However, this method generates a lot of false positives due to non-specific interactions and often needs confirmations from other methods to reduce the false positive rates.

Mutagenesis experiments also aid in the detection of the protein interface residues. Amino acid residues in the protein subunits are systematically mutated and their effect on protein binding is studied with the use of protein expression assays. These experimental methods for the detection of protein-protein interfaces are labor-extensive and expensive, in addition to their general limitations. Hence, there is a need to develop fast and cost-effective computational methods that will enable us to generalize the principles of protein-protein associations and study protein interactions in greater detail.

### 1.1.4 Computational Methods for Studying Protein-Protein Interactions

Observations by Christian Anfinsen (Anfinsen, 1973) regarding the spontaneous refolding of an unfolded protein chain into its biologically active three-dimensional conformation led to the postulation of the Thermodynamic Hypothesis of Protein Folding. The Thermodynamic Hypothesis states that a native protein folds into a three-dimensional system in equilibrium, in which the state of the whole protein-solvent system corresponds to the global minimum of free energy (Xu et al., 2010). Based on this hypothesis, several computational studies concerning protein folding, protein-protein interactions and protein design depend on the derivation of a potential function to calculate the effective energy of a protein system. By matching the results of quantum mechanical calculations to the empirically determined thermodynamic properties of small molecules, parameters were derived for the development of potential functions (Sippl, 1993). These potential functions are then applied to macroscopic scales based on the assumption that properties of macroscopic states can be approximated by considering them as combinations of a large number of microscopic states. The potential functions developed through this inductive approach are termed as 'physics-based' or 'physical' potential functions. These physics-based potentials are based on atomic level models and hence
are computationally very intensive.
Another set of potential functions are derived by extracting the parameters from a database of known structures (Sippl, 1993). These types of potentials follow the deductive approach and implicitly incorporate a variety of interactions. Therefore, these potentials do not represent true binding energies and hence are termed as 'knowledge-based' or 'pseudo-energy' potential functions. Though these methods do not reflect the true energies, they are algorithmically less intensive and have performed successfully. These potentials can be further divided into two cases. In one set, the knowledge-based potentials are derived by comparing the relative frequencies of interacting pairs in the database with that in a reference state (Miyazawa and Jernigan, 1996). In the other set, these potential functions are derived by optimisation with respect to certain criteria, e.g, by maximising the energy gap between the native conformations and the non-native conformations (Goldstein et al., 1992).

### 1.2 Knowledge-based Statistical Potentials

Knowledge-based statistical potentials are based on the Boltzmann assumption, that states frequently observed structural features correspond to low-energy states. Tanaka and Scheraga were the first to employ the above assumption to estimate pairwise amino acid interaction potentials by converting the observed frequencies of amino acid pairs into effective free energies (Tanaka and Scheraga, 1976). Since then many variants of pairwise amino acid potentials have extended this idea (Miyazawa and Jernigan, 1996, Sippl, 1993).

The general definition of a database-driven statistical potential as in (Sippl, 1990) is:

$$
\begin{equation*}
E(r)=-k T \ln [f(r)] \tag{1.2}
\end{equation*}
$$

where,
$r=$ a protein structural parameter (eg. interatomic distance)
$E(r)=$ the energy at $r$
$k=$ Boltzmann's constant
$T=$ absolute temperature

Apart from $r$, the potential for a particular residue pair also depends upon the nature of atoms involved in the interaction and $s$, the separation of the respective amino acids in the amino acid sequence. At $s \geq 10$, the atoms can be considered as free particles and then by the Boltzmann approximation :

$$
\begin{equation*}
E^{o b s}(r)=-k T \ln \left[f^{o b s}(r)\right] \tag{1.3}
\end{equation*}
$$

where, $f^{o b s}(r)$ is approximated by the relative frequencies observed in the database.
Since these general potentials incorporate all interaction types between the atoms (electrostatic interactions, hydrogen bonds, van der Waals etc.) and also the influence of the surrounding medium on the interactions, they contain redundant information. In order to isolate the specific information in different potentials, we need to strip the redundant information from the general potentials. This redundant information can be defined in terms of a reference state. A suitable reference for intramolecular protein interactions is (Sippl, 1990):

$$
\begin{equation*}
E^{s}(r)=-k T \ln \left[f^{s}(r)\right] \tag{1.4}
\end{equation*}
$$

where,

$$
\begin{equation*}
f^{s}(r)=\sum a b f^{o b s}(r) \tag{1.5}
\end{equation*}
$$

which is averaged over all atom and residue types. Subtracting this redundant term from the general potentials, we get:

$$
\begin{equation*}
\Delta E^{o b s}(r)=E^{o b s}(r)-E^{s}(r)=-k T\left[\frac{f^{o b s}(r)}{f^{s}(r)}\right] \tag{1.6}
\end{equation*}
$$

The term $f^{o b s}(r)$ comes from the database, whereas the term $f^{s}(r)$ is calculated as defined in the reference state. Hence, this potentials have a large dependence on the choice of reference state used.

### 1.3 Previous Related Work

Several researchers have attempted the prediction of protein-protein interactions using knowledge-based potentials in the past, and some of these methods have also been able to garner experimental evidence for their predictions.

Yasuda et. al., while working on the extracellular activation of tryptase $\epsilon$ used computational docking approaches to understand how tryptase $\epsilon$ selectively recognizes the activation sequence in pro-uPA. A lysine residue on loop A of tryptase $\epsilon$ (K20A) was predicted to be involved in recognizing the processing site of pro-uPA. Consistent with this prediction, they were able to show that K20A tryptase $\epsilon$ mutants failed to convert pro-uPA to uPA (Yasuda et al., 2005).

The PrePPI web server (https: //bhapp.c2b2.columbia.edu/PrePPI/), set up by Honig lab at Columbia University, combines structural and non-structural cues in a bayesian framework to predict protein-protein interactions. The algorithm used in PrePPI generates structural representatives for two query protein sequences. Complexes formed by the structural neighbours of the representatives are then retrieved from the PDB to serve as interaction models. These interaction models are evaluated using five different scores, some of which are statistically derived. The researchers also tested nineteen PrePPI predictions of human interactions using Co-immunoprecipitation (Co-IP) experiments. Fifteen of these predictions were validated using the Co-IP experiments (Zhang et al., 2012).

Another example where knowledge-based bioinformatic predictions were experimentally validated was
the predictions of new substrates for Aurora A kinase. The predictions were made by analysing the available data on Aurora A kinase and their phosphorylation sites and then using distinct types of biological information to generate a ranked list of potentials Aurora A kinase substrates. These predictions were validated by using in vitro kinase assays and mass spectrometry analyses (Sardon et al., 2010).

### 1.4 Classifier Methods

Diagnostic decision making is an important process involved in the prediction of protein-protein complexes. In order to determine the threshold parameters for diagnosis, we need statistical methods to gauge which of the thresholds gives the most accurate predictions. One such method is the use of Receiver - Operating Characteristic (ROC) curves, which ensures that the number of true cases predicted does not come at the cost of an unreasonable number of false positives (Swets et al., 2000).

A classifier is a mapping that connects the instances to the predictions. Given a classifier and an instance, there are four possible outcomes. If the instance is positive and it is predicted as positive, it is termed true positive; if predicted negative, it is termed as false negative. If the instance is negative and it is predicted as positive, it is counted as a false positive; if predicted negative, it is a true negative (Fawcett, 2004). The two positive rate and the false positive rates of a classifier are defined below:

$$
\begin{align*}
& \text { True positive rate } \approx \frac{\text { Positives correctly classified }}{\text { Total positives }}  \tag{1.7}\\
& \text { False positiverate } \approx \frac{\text { Negatives incorrectly classified }}{\text { Total negatives }} \tag{1.8}
\end{align*}
$$

The True Positive Rate (TPR) is also referred to as Sensitivity and (1-False Positive Rate) is also known as Specificity.

ROC curves are two-dimensional graphs in which FPR is plotted on the $X$-axis and TPR is plotted along the Y-axis. An ROC curve depicts the trade-off between the True Positives and the False Positives. Several points on the ROC curve are important. The point $(0,0)$ never issues any false positives but it also does not return any true positives, whereas, the point $(1,1)$ returns positives indiscriminately. The perfect classifier is represented by the point $(0,1)$. At this point, all positives returned are True positives and none are False positives. Hence, the closer the ROC curve is to this point, the better the performance of the classifier. On the other hand, a random classifier lies on the $x=y$ line, as it is expected to return half the instances with positive predictions and the other half with negative predictions (Fig 1.2). To compare between different classifiers, the ROC curve performances are often reduced to a single scalar value. The Area Under the ROC Curve (AUC) is one such metric which is used to compare classifiers. Since, the AUC is a portion of the unit square, it's value always lies between 0 and 1. The random classifier is represented by a diagonal passing through the points $(0,0)$ and $(1,1)$, which corresponds to an AUC of 0.5 , hence any real world classifier should not have an AUC value of less than 0.5.


Figure 1.2: Sample ROC curves to illustrate the performance of different classifiers. The green line represents a good performing classifier $(A U C \approx 0.9)$. The blue line represents a random classifier $(A U C \approx 0.5)$ whereas the red line corresponds to a bad classifier ( $A U C \approx 0.3$ )

## Chapter 2

## Methods

### 2.1 Construction of the dataset

Three dimensional structures for protein dimers were retrieved from Protein Data Bank (Berman et al., 2000). The search for proteins with 2 chains (Asymmetrical Unit) returned 32871 structures. In order to remove redundancy, the above dataset was culled using the PISCES web server (Wang and Dunbrack, 2005) with the parameters given in Table 2.1. This resulted in a non-redundant dataset comprising of 6870 structures. Further filtering based on Buried Surface Area (BSA) was done. Buried Surface Area is defined as:

$$
\begin{equation*}
B S A=\sum_{n=1}^{N_{\text {subunits }}} A S A_{\text {free }}^{S_{n}}-A S A_{\text {Complex }} \tag{2.1}
\end{equation*}
$$

where, $A S A{ }_{f r e e}^{S_{n}}$, is the solvent accessible surface area of the unbound subunits of the protein complex and $A S A_{\text {Complex }}$ is the solvent accessible surface area for the bound complex. BSA for the dimers was computed as per Eq. 2.1 using MODELLER (Sali and Blundell, 1993) and structures satisfying $400 \AA^{2} \leq$ $B S A \leq 2500 \AA^{2}$ were taken to construct the final dataset. The lower bound on the BSA was put to remove false positives from crystal contact artifacts whereas the upper limit excluded structures with intertwined subunits. The final dataset comprising of 4060 protein dimers was divided into two sets: a training set of 3764 dimers, which were used for constructing the potential and a testing set of 296 dimers, used for benchmarking the statistical potentials. In order to make accurate predictions using statistical potentials, the number of samples in the training set should be large while keeping a reasonable number of samples in the testing set. Hence the division of the dimer set was made such that the testing set is $\sim 10 \%$ of the training set. The PDB codes of the structures comprising the training and the testing set are listed in Appendix 1.

| Sequence Percentage Identity | $<=40 \%$ |
| :--- | :--- |
| Resolution | $0.0 \sim 3.0$ |
| R-Factor | 0.3 |
| Sequence Length | $40 \sim 10000$ |
| Non X-ray entries | Excluded |
| CA-only entries | Excluded |
| Cull PDB by | Entry |
| Cull chains within entries | No |

Table 2.1: Parameters used for removing redundancy of the PDB dataset

### 2.2 Construction of Statistical Potentials

A series of Statistical Potentials were constructed using the protein dimers from the training dataset constructed above. Inter-atomic distances at different thresholds were computed for each structure using the 'cell list' implementation (borrowed from Neelesh Soni). Two amino acid residues were defined as interacting if any relevant atom of residue $A$ of type $i$ was within the distance threshold of any relevant atom of residue $B$ of type $j$. Residue $A$ and Residue $B$ belong to different subunits of the protein complex. 96 different potentials were built using different values for five parameters : the contacting atom types (main chain-main chain, main chain-side chain, side chain-side chain or all), the weighing scheme for assigning weights to distinct residue interactions (cifa potential vs ipa potential), nature of the weights (derived at a single distance (norm) vs averaged over multiple distance (cmpd)), weights in the reference state (avg vs no_avg) and the distance threshold for contact participation ( 4,6 , or $8 \AA$ ). The combination of the different values for these five parameters gave rise to $4 \times 2 \times 2 \times 2 \times 3=96$ different potentials.

### 2.2.1 Two-Body Potentials

### 2.2.1.1 The cifa potential

$$
\begin{equation*}
\mathrm{S}_{i, j}=-\log \left[\left(\sum_{\forall \text { interfaces }} \frac{\frac{f_{i j}^{i n t}}{\sum_{\forall a b} c i f a_{a b}^{i n t}} \times \frac{c i f a_{i j}^{i n t}}{\max \left(c i f a_{i j}^{i n t}\right)}}{\frac{f_{i}}{N_{m}} \frac{f_{j}}{N_{n}} \times\left\langle c i f a_{i j}^{i n t}\right\rangle}\right) \div N_{\text {total }}\right] \tag{2.2}
\end{equation*}
$$

where,

$$
\begin{aligned}
& f_{i j}^{\text {int }}=\text { frequency of } i-j \text { residue pairs across the interface } \\
& \text { cifa } a_{i j}^{i n t}=\min \left[\frac{\text { interacting atoms }_{i}}{\text { total atoms }_{i}}, \frac{\text { interacting atoms }{ }_{j}}{\text { total atoms }_{j}}\right] \\
& \text { cifa } a_{a b}^{i n t}=\text { frequency of any residue pair } a-b \text { weighted by their respective cifa } \\
& \frac{f_{i}}{N_{m}}=\text { frequency of residues of type } i \text { in the subunit } m \\
& \frac{f_{j}}{N_{n}}=\text { frequency of residues of type } j \text { in the subunit } n \\
& N_{m}, N_{n}=\text { Number of subunits in subunits } m \text { and } n \text { respectively } \\
& \left\langle c i f a_{i j}^{i n t}\right\rangle=\text { average value of } c i f a \text { observed in the dataset for } i-j \text { pairs across the interface } \\
& N_{\text {total }}=\text { total number of protein complexes in the dataset }
\end{aligned}
$$

The observed probability for residue pairs of type $i$ and $j$ that belonged to different subunits and occurred within a distance threshold in a protein complex was weighted by cifa, the minimum of the fraction of the total atoms in each residue that were within the distance threshold. This weight was further normalised by $\max \left(c i f a_{i j}\right)$, the maximum cifa value for the $i, j$ residue pair observed in the dataset. The probability of the occurrence of an amino acid pair of the type $i, j$ was computed based on the occurrences of the residues $i$ and $j$ in their respective subunits. This probability weighted by the average value of cifa observed in the dataset for the residue pair $i, j$ forms the expected probability for a residue pair of the type $i, j$.

### 2.2.1.2 The ipa potential

$$
\begin{equation*}
\mathrm{S}_{i, j}=-\log \left[\left(\sum_{\forall \text { interfaces }} \frac{\frac{f_{i j}^{i n t}}{\sum_{\forall a b} \alpha_{a b}} \times \alpha_{i j}}{\frac{f_{i}}{N_{m}} \frac{f_{j}}{N_{n}} \times\left\langle\alpha_{i j}\right\rangle}\right) \div N_{\text {total }}\right] \tag{2.3}
\end{equation*}
$$

where,

$$
\begin{aligned}
\alpha_{i j} & =\frac{i p a_{i j}^{i n t}}{\max \left(i p a i_{i j}^{i n t}\right)} \\
\text { ipa } & =\text { number of interacting pairs of atoms of residue types } i \text { and } j \\
\alpha_{a b}^{i n t} & =\text { frequency of any residue pair } a-b \text { weighted by their respective } \alpha \\
\frac{f_{i}}{N_{m}} & =\text { frequency of residues of type } i \text { in the subunit } m \\
\frac{f_{j}}{N_{n}} & =\text { frequency of residues of type } j \text { in the subunit } n \\
N_{m}, N_{n} & =\text { Number of subunits in subunits } m \text { and } n \text { respectively } \\
\left\langle\alpha_{i j}^{i n t}\right\rangle & =\text { average value of } \alpha \text { observed in the dataset for } i-j \text { pairs across the interface } \\
N_{\text {total }} & =\text { total number of protein complexes in the dataset }
\end{aligned}
$$

In the second potential, the observed probability for residue pairs of type $i$ and $j$ that occurred within a distance threshold in a protein was weighted by $i p a$, the total number of interacting pairs of atoms between two residues. Similar to the first potential, this weight was further normalised by max $\left({ }^{2} a_{i j}\right)$, the maximum ipa value observed for the $i, j$ residue pair in the dataset. The reference state for this potential was similar to the reference state in the cifa one, with the average value of ipa observed in the dataset for the residue pair $i, j$ as the weight for the expected probability.

As Glycines lacks a side chain, they were handled in the following three ways in the side chain-side chain potentials. In the first scenario, assuming that all atom potential values should be representative of interactions concerning Glycine residues in the side chain-side chain case, the potential values for side chain-side chain interactions involving Glycine were borrowed from the corresponding all atom potentials. In the second scenario, following the assumption that side chain interactions are the major drivers for specificity in protein-protein interactions, the Glycine interactions were given a positive, hence unfavourable value of 1.38. For the third scenario, the potential value for all Glycine interactions was set to 0 , the assumption underlying this scenario was that the occurrence of Glycine on protein-protein interfaces is random and hence the log odds of the observed probability against the expected probability of Glycine pairs is 1 . The performance of the potential values for the three different scenarios were tested on the benchmark test by considering the number of native structures that were ranked the best against the randomised scores.

### 2.2.2 Multibody Potentials

Pairwise statistical potentials consider a protein-protein interface to be comprised of isolated residue pairs and hence devoid of any structural context. In a bid to include the structural neighbourhood of an amino acid residue while constructing the potential, 5 -body statistical potentials were constructed, following the formulation of the two-body potentials. The interface of each protein complex was decomposed into 5 -body amino acid cliques based on the interatomic distances between the residues. In graph theory, a clique is a special graph in which every vertex is connected to every other vertex in the graph. Two different distance thresholds, the intra-domain distance threshold and the inter-domain distance threshold, were used to define the connections in the clique, $(i)$ the intra-domain threshold of $5 \AA$ and (ii) the inter-domain threshold of 8.5 $\AA$. We define two amino acids to be connected if any atom of residue $A$ lies within a distance threshold $R_{0}$ of any atom of residue $B$ (Fig 2.1). For these definitions, two cases were tested, Case (I) (the unweighted case), where the potentials were computed according to the formulation given in Eq. 2.4 and Case (II) (the weighted case), where the potentials in Eq. 2.4 were weighted using the average pairwise cifa values (borrowed from the two-body potentials) for the residue pairs constituting the cliques.


Figure 2.1: Schematic representation of a 5-body clique. Residues $A_{1}, A_{2}$ and $A_{3}$ belong to Subunit A of the protein complex whereas Residues $B_{1}$ and $B_{2}$ belong to Subunit $B$ of the protein complex. The contacts between residues from the same subunit are termed as intra-domain contacts (shown by orange arrows) and the contacts between residues from different subunits are termed as inter-domain contacts (depicted by the blue arrows).

$$
\begin{equation*}
\mathrm{S}_{A_{1} A_{2} A_{3} B_{1} B_{2}}=-\log \left[\left(\sum_{\forall \text { interfaces }}^{\frac{f_{A_{1} A_{2} A_{3} B_{1} B_{2}}}{\sum_{A_{1}}\left(f_{\alpha \beta \gamma \delta \epsilon}\right)}} \frac{\forall \alpha, \beta, \gamma, \delta, \epsilon}{\sum_{x=1}^{M} f_{x}^{M}} \frac{f_{A_{2}}^{M}}{\sum_{x=1}^{20} f_{x}^{M}} \frac{f_{A_{3}}^{M}}{\sum_{x=1}^{20} f_{x}^{M}} \frac{f_{B_{1}}^{N}}{\sum_{x=1}^{20} f_{y}^{N}} \frac{f_{B_{2}}^{N}}{\sum_{x=1}^{20} f_{y}^{N}}\right) \div N_{\text {total }}\right] \tag{2.4}
\end{equation*}
$$

where,
$A_{1}, A_{2}, A_{3} \quad$ are residues that belong to subunit $M$
$B_{1}, B_{2} \quad$ are residues that belong to subunit $N$
$f_{A_{1} A_{2} A_{3} B_{1} B_{2}}=$ frequency of the clique $A_{1} A_{2} A_{3} B_{1} B_{2}$ across the interface
$f_{\alpha \beta \gamma \delta \epsilon}=$ frequency of any 5 - body clique $\alpha \beta \gamma \delta \epsilon$ across the interface
$\frac{f_{A_{1}}^{M}}{\sum f_{x}^{M}}=$ frequency of the residues of type $A_{1}$ in the subunit $M$; similarly for $\frac{f_{A_{3}}^{M}}{\sum f_{x}^{M}}$ and $\frac{f_{A_{3}}^{M}}{\sum f_{x}^{M}}$
$\frac{f_{B_{1}}^{M}}{\sum f_{x}^{N}}=$ frequency of the residues of type $B_{1}$ in the subunit $N$; similarly for $\frac{f_{B_{2}}^{N}}{\sum f_{x}^{N}}$
$N_{\text {total }}=$ total number of protein complexes in the dataset

The observed probability for a clique $A_{1} A_{2} A_{3} B_{1} B_{2}$ was obtained by dividing the number of occurrences of the clique $A_{1} A_{2} A_{3} B_{1} B_{2}$ by the number of all 5 -body cliques observed in the protein. Considering, the choice of each amino acid in a 5-body clique as an independent event, the expectation term was obtained by multiplying the probabilities of picking amino acids $A_{i}$ from their respective protein subunits.

### 2.3 Benchmarking of statistical potentials

The performance of the statistical potentials was tested on a benchmark set of 296 randomly selected dimers that were excluded during the construction of the potentials. The potential scores for the native structures were obtained by the addition of the potential scores for the individual residue pairs observed across the interface in the native structure. To distinguish the score of a native structure from the score of any non-interactant, these scores were compared against a randomised background set. There are two ways by which such a randomised background set could be obtained for each native structure: (i) physical models are built for the protein subunit by placing the two subunits of a protein complex in different relative orientations. The scores of these physical models then serve as the randomised background. (ii) keeping the structure of the protein complex unaltered, the sequence of the subunits is scrambled, which gives us randomised pairwise interactions across the interface for different scramblings. A number of such scramblings then constitute the randomised set.

The above methods of obtaining the background set are equivalent, we have chosen the latter method for the generation of the background set as it is less time consuming and algorithmically cleaner and easier to implement. For each of the 296 dimers in the benchmark set, 1000 decoy (non-interactants constituting the randomised background) confirmations were built by randomly scrambling the amino acid sequence of the dimers, followed by the computations of statistical potential scores for each of the decoy structures. The scrambling of the amino acid sequence was achieved by replacing each residue on the interface by another residue randomly chosen from the corresponding subunit. To access the significance of the raw statistical potential score, a Z-score was calculated based on the mean and standard deviation of the statistical potential scores for the decoy sets for each dimer (Eq. 2.5).

$$
\begin{equation*}
Z=\frac{x-\mu}{\sigma} \tag{2.5}
\end{equation*}
$$

where,
$x=$ raw score of the native structure
$\mu=$ mean of the raw scores of decoy structures
$\sigma=$ standard deviation of raw scores of decoy structures

Receiver-operator Characteristics (ROC) curves are used to describe the observed false positive and true positive rates at different Z-score thresholds. ROC graphs are two dimensional graphs with Sensitivity or True Positive Rate (Eq. 2.10) plotted along the y-axis and (1-Specificity) or the False Positive Rate (Eq. 2.11) plotted along the x-axis. For the construction of the ROC curves, the various definitions are given in Eq. 2.6-2.9. The Z-score thresholds for the ROC curves ranged from the minimum observed Z-score to the maximum observed $Z$-score for each potential along with an increment of 0.01 . To compare the different potentials, the ROC curves were integrated to calculate the area under the curve (AUC). The AUC represents the probability that a classifier ranks a randomly chosen positive instance higher than a randomly chosen negative instance, with 0.5 corresponding to a random prediction, and 1 to a perfect classifier (Fawcett, 2004). The optimal Z-score threshold for the best performing potential was taken as the Z-score where a tangent of slope 1 intersects the ROC curve.

$$
\begin{align*}
\text { True Positives }(T P)=\quad & \text { No. of native structures with scores } \\
& \text { lower than the threshold } z-\text { score } \tag{2.6}
\end{align*}
$$

False Positives $(F P)=\quad \begin{aligned} & \text { No. of decoy structures with scores } \\ & \\ & \\ & \text { lower than the threshold } z-\text { score }\end{aligned}$
$\begin{aligned} \text { True Negatives }(T N)=\quad & \text { No. of decoy structures with scores } \\ & \text { higher than the threshold } z-\text { score }\end{aligned}$
$\begin{aligned} \text { False Negatives }(F N)=\quad & \text { No. of native structures with scores } \\ & \text { higher than the threshold } z-\text { score }\end{aligned}$
$\begin{aligned} \text { False Negatives }(F N)=\quad & \text { No. of native structures with scores } \\ & \text { higher than the threshold } z-\text { score }\end{aligned}$

True Positive Rate $(T P R)=\frac{[T P]}{[T P+F N]}$

False Positive Rate $(F P R)=1-\frac{[T N]}{[T N+F P]}$

## Chapter 3

## Results

### 3.1 Dataset Generation

For accurate benchmarking of the potentials, the benchmark set used to test the performance of the potentials should be similar to the dataset the statistical potentials were trained on. Since the Buried Surface Area (BSA) of the complex was used as a filtration parameter, the frequency distributions of BSA were compared in the two sets to check for similarity (Figure 3.1). The BSA values for the 3764 structures in the training set and the 296 structures in the benchmark are similarly distributed. The Mean and Median values for the training set were 1279.5 and 1190.2 respectively, whereas the Mean and Median values for the benchmark set were 1279.5 and 1203.67 respectively.

Among the six ways of classifying protein interactions mentioned in the Introductions section (Sec 1.1.1), four categories (obligate, non-obligate, transient and permanent) pertain to the dynamics of protein complexes and it is not possible for us to retrieve this information from the crystal structures of proteins (though some of the studies may include information about the kind of interface, overall such studies are sparse). Concerning the oligomeric state of the protein complexes, we find that $90 \%$ ( 3389 out of 3764 ) of the structures in the training set are homodimers. Similarly, $88 \%$ (264 out of 300) of the structures in the testing set are homodimers.

### 3.2 Benchmarking of the Two-Body Potentials

The performance of the different statistical potentials was compared using two different methods.

1. Receiver-Operating Characteristic Curves for different Z-score thresholds
2. Rank - Ordering the scores of the native structures against scores from a randomized background set.


Figure 3.1: Histograms depicting the distribution of the Buried Surface Area (BSA) for protein complexes in both the training and the testing set. The number of structures in the training and the testing sets are 3764 and 296 respectively. The binwidth used for plotting the distribution was 25 . The red and blue lines on the plot represent the mean and the median of the distributions respectively. The black curve with grey shading is the kernel density estimation for the distribution.

### 3.2.1 Benchmarking using ROC curves

The testing of the 96 different statistical potentials was done on a benchmark set of 296 dimers and their performance was compared using ROC curves. The potentials showed a diverse range of performances as can be seen in Figure 3.2. 11 of the 96 potentials had an Area Under the Curve of their ROC curves greater than 0.90 (shown in the inset of Fig 3.2). All eleven of these potentials were variants of the side chain-side chain potentials that were weighted by cifa. The main chain-main chain potentials were the worst performers of all with some of the potentials performing worse than a random classifier.

The highest power of discrimination between the native and non-native interfaces was achieved by the statistical potential built from side chain-side chain interactions across the interface at the threshold distance of $4 \AA$ (4.ss.norm.cifa.avg in Figure 3.2). The weighting parameter for this potential was cifa, calculated at a single distance of $4 \AA$ and the reference state was weighted by the average weight for residue pairs in the dataset. The area under the curve (AUC) for the ROC curve for this potential was 0.9622 . The true positive rates and the false positive rates at the optimal Z-score of -0.7 were $97.8 \%$ and $\%$ respectively.


Figure 3.2: A comparison of the performances of the 96 different potentials as represented by their Receiver-Operator curves. Inset: Zoomed in version for the best performing potentials.

### 3.2.2 Benchmarking using Rank Ordering

After rank ordering the scores of the native and the decoy confirmations, the number of cases where the native confirmation had the best score was also used to compare the performance of the different potentials. On the basis of the interacting atoms, the performance of the potentials was in the order: side chain-side chain $>$ all atoms $>$ main chain-side chain $>$ main chain-main chain (Fig 3.3). The performance of the potentials based on the nature of the weights (i.e. whether they were computed at a single distance (norm) or computed as an average from three different distances (avg)) was comparable across the different potentials. Only in the case of the potentials constructed at the distance threshold of $4 \AA$ side chain-side chain potential, is the norm potential better than cmpd potential.


Figure 3.3: A comparison of the performances of the different potentials as measured by the number of native structures that were ranked 1 against a set of decoy structures. The different facets in the figure describe the performances of the potentials according to the interacting atoms type (all - all atom, mm - main chain-main chain, ms - main chain-side chain and ss - side chain-side chain). The colors differentiate between the potentials based on the nature of the weights, red for cmpd (weight computed as an average at three distances) and cyan for norm (weight computed at a single distance)

The performances of the potentials followed a similar pattern when dissected according to the distance threshold (Fig 3.4). The cifa potential performed better than the ipa potential in all cases. Here again, the side chain-side chain potential at $4 \AA$ with cifa as the weighting parameter computed at a single distance (4.ss.norm.cifa.avg) was the best performer. 137 out of 296 native structures were best ranked when compared against their randomised backgrounds and 240 structures out of 296 have their native structures
ranked under 25.


Figure 3.4: A comparison of the performances of the different potentials as measured by the number of native structures that were ranked 1 against a set of decoy structures. The graph is dissected based on threshold interaction distance and the different potential type; cyan represents the ipa potential whereas red stands for the cifa potential.

The potentials with an Area Under the ROC Curve (AUC) greater than 0.90 were checked for complementarity in terms of protein complex prediction (whether different protein complexes were ranked best by different potentials). The results are summarised in Table 3.1. The union of the best ranked sets (set of structures whose native structures were ranked 1 against a randomised background) for the different potentials was greater than the best ranked set for the best performing statistical potential (4.ss.norm.cifa.avg).

| cut_off rank | best performing potential (4.ss.norm.cifa.avg) | Union of AUC $\geq 0.9$ |
| :---: | :---: | :---: |
| $\leq 0$ | 137 | 169 |
| $\leq 5$ | 190 | 217 |
| $\leq 10$ | 216 | 235 |
| $\leq 15$ | 224 | 247 |
| $\leq 20$ | 233 | 252 |
| $\leq 25$ | 239 | 261 |

Table 3.1: Complementarity between the different potentials at different rank cut-offs. The number of structures that were ranked 1 against their respective backgrounds for the two cases are given in the two columns.

There is a preference for same-interaction pairs and complementarity between opposite charges (eg Lysine pairing up favourably with Glutamate and Aspartate) is also observed in the log-odds ratio matrix (Fig 3.5). Cysteine-Cysteine and Histidine-Histidine are among the best scored residue residue contact pairs. The contact preference scores for the hydrophobic amino acids are overall favourable though any specific preferences are not observed.


Figure 3.5: Log odds ratio of residue pair preferences across protein - protein interfaces for the best two-body potential. The darker the shade, the higher the preference

### 3.2.3 Testing Potential Values for GLY-GLY pairs

Since, Glycine lacks a side chain, the potential values for GLY-GLY pairs for the side chain-side chain potentials were tested as described in Methods. For the side-chain potentials at 4 and $8 \AA$, assuming that the occurrence of Glycines on the interface is random (column no-effect in Table 3.2), gave the best performance. For the potential at $6 \AA$, however, the assumption that GLY residues are unfavourable worked the best.

| potentials | all atom potentials | unfavourable score (1.38) | no-effect (0.00) |
| :---: | :---: | :---: | :---: |
| 4.ss.norm.cifa.avg | 109 | 132 | 136 |
| 6.ss.norm.cifa.avg | 100 | 131 | 113 |
| 8.ss.norm.cifa.avg | 91 | 99 | 110 |

Table 3.2: Testing of side chain-side chain potential values for GLY-GLY pairs: Native confirmation scores were rank ordered against decoy conformation scores and the number of structures with native confirmations as best ranked was noted

### 3.2.4 Performance on the testing set

With a Z-score threshold of -0.7 for the best pairwise potential (4.ss.norm.cifa.avg), 284 out of the 295 native structures testing set had a z-score below the threshold, which corresponds to a true prediction. Among the 11 structures which had a z-score greater than the threshold, 7 structures were incorrectly submitted as dimers in the PDB. The biological assemblies for these structures (PDB codes: 3PNA, 1IFQ, 3MTX, 1PL3, 3QL9, 4CMP, 2XRW) is a monomeric entity, as given in the Protein Data Bank. These false classifications in the PDB may be a result of crystallization artefacts. Since, our potentials could successfully distinguish crystal artefacts from true interactions, these 7 structures were considered as correct predictions. Hence, our potentials could correctly identify 291 out of 295 structures, which translates to a prediction accuracy of 98.6 \%.

### 3.2.5 Comparison with MODTIE

The performance of the best performer was compared with MODTIE (Davis et al., 2006) (Fig 3.6). Benchmarking for both the potentials was done on the same benchmark set. The Area under the curve for the MODTIE potential was 0.9445 . The true positive rate and the false positive rate at the Z-score threshold of -1.7 was $71.5 \%(211 / 295)$ and $28.5 \%(84 / 295)$ respectively.


Figure 3.6: Performance of the two body potential in comparison to MODTIE. The red part and the cyan part of the plot depict the no. of True Positives and the no. of False Negatives respectively.

### 3.2.6 Multibody Potentials

The performance of the multi body potentials was accessed in a manner similar to the two-body potentials. For case ( $i$ ), with the intra-domain distance threshold as $5 \AA$ and the intra-domain distance threshold as $8.5 \AA$, a total of 280114 distinct cliques were observed, out of 323400 distinct possibilities. The Receiver Operating Curve is shown in Fig 3.7. The Area Under the Curve for the ROC of the potential without any weights was 0.3089 , whereas the Area Under the Curve for the potential with the weights was 0.41006 . Both the potentials performed worse than a random classifier.


Figure 3.7: Performance of the multibody potentials as assessed by the ROC curves. The cyan curve represents the ROC for the unweighted 5-body potential whereas the red curve depicts the ROC for the weighted 5-body potential.

### 3.3 Validation

The potential 4.ss.norm.cifa.avg was tested for its prediction power on the Ral-GEF system. Six variants of GEF were tested for binding with Ral. Experimental evidence shows that four of these variants (RGL1, RGL2, RGL3 and RALGDS) bind Ral in a particular mode, while the other two variants weakly interact with Ral, binding in a different mode. The Z-scores for all the GEFs were below the threshold and hence all six variants are predicted to bind.

Based on the statistical potential scores, we predicted the following hotspot residues, SER:173:A, GLU:34:A, LYS:370:B, ARG:322:B, ARG:42:A and ARG:74:A, in RGL1-Ral complex that upon mutation would weaken the interaction between RGL1 and Ral. These hotspot residues lie in complementary clusters (Fig 3.9) and hence mutating them to other residues would lead to unfavourable interactions, thereby weakening the interaction between RGL1 and Ral.

| GEFs | Z-scores |
| :---: | :---: |
| RALGDS | -3.59 |
| RALGPS1 | -3.39 |
| RALGPS2 | -3.72 |
| RGL1 | -3.21 |
| RGL2 | -3.11 |
| RGL3 | -2.72 |

Table 3.3: The predictions regarding the binding of Ral to GEF variants using the pairwise statistical potentials.


Figure 3.8: The RalGDS-Ral complex. The Ral subunit is shown in blue in surface representation whereas the RalGDS is depicted in brown, also in surface representation. Image rendered using Chimera (Pettersen et al., 2004)


Figure 3.9: Hotspot residues in the RGL1-Ral Complex. Subunit $A$ is Ral and Subunit $B$ is RGL1. Image rendered using Chimera (Pettersen et al., 2004)

## Chapter 4

## Discussions

### 4.1 Statistical Potentials

Due to the labor-intensive and expensive nature of the experimental methods for validation of protein-protein associations, computational methods for the prediction of protein-protein interactions have become quite popular. Between the two different types of computational methods for the prediction of protein associations, namely the physics-based methods and the knowledge-based statistical methods, we have used the latter to develop a way to determine protein binding. We chose statistical potentials because they are algorithmically and computationally much more feasible than the physics-based model. Another limitation of the physicsbased models is their heavy dependence on the accuracy of the structure of the protein. A small discrepancy in the atomic coordinates will lead to a significant deviation in the estimation of the energies, when computed using the physics-based models. Statistical potentials are robust enough that such minor discrepancies do not affect the estimates of potentials by a significant amount.

Statistical potentials help us portray a picture of how interactions between proteins are mediated and can be used as stand-ins for binding free energies. They work on the principle that the most frequently observed amino acid residue pairs are energetically more preferred than the pairs less frequently observed. However, because statistical potentials do not discriminate between interaction types and their strengths (for eg, the strength of a hydrogen bond vs that of a van der Waal's interaction), the statistical potential scores do not correlate perfectly with the binding affinities. To build a statistical potential for predicting binding affinities, known structures will have to be subsetted according to their binding affinities and then statistical potentials built for each subset of the dataset. However, the dearth of data on experimental binding affinities prevents the construction of a meaningful statistical potential. Based on observations made on an experimental dataset, statistical potentials allow us to derive approximate functions which can be used to predict the energy of an unknown system.

### 4.2 Pairwise Potentials

We tested 96 different pairwise statistical potentials for their ability to predict protein-protein interactions. In both the methods for benchmarking the performance of the potentials, the side chain-side chain potentials were significantly much better than the other potentials. The performance of the other potentials based on the type of interacting atoms follows the order: all atom > main chain-side chain > main chain-main chain. Since, protein associations require specific interactions between the atoms of the constituting amino acid residues, these specificities are provided by the properties of the different side chains. Consistent with this, the side chain-side chain potential has the best power for discriminating between native and nonnative associations, whereas main chain-main chain (which lack any specificity) potentials are the worst performers.

We constructed two statistical potentials using two different weighting schemes cifa and ipa. Between the two different potential types cifa and ipa, we observed that the cifa performed better than the ipa potential when all other parameters are kept constant. The difference between the two different weights is that while cifa aims to capture the contribution of each residue to the interaction between two residues and then considers the contribution of just one residue towards the weighting, the ipa potential weighs the different residue pairs based on the number of interatomic interaction pairs between two different residues.

Since Glycines lack a side chain and are present abundantly on the interface, we need to incorporate them in the side chain-side chain potentials. Three different scenarios were tested in this regard. The potential values for the GLY interactions in the side chain-side chain potentials were derived using a semioptimisation approach. Of the three different scenarios tried, the case which assumes the distribution of Glycines on the interface is random (the ratio of the observed frequency of GLY pairs and the expected frequency of the GLY pairs is 1) gave the best results. Since Glycine lacks a side chain, in our potential, we have considered that it does not discriminate between amino acid residues and interacts with any residue the same way.

Cysteine-Cysteine pairs have the best scores for any residue pair. This observation previously reported by Glaser (Glaser et al., 2001), is expected since the sulphurs in Cysteine have been observed to form disulphide bonds which may play an important role in the stability of protein complexes. Cysteine-Cysteine pairs along with Histidine-Histidine pairs are also found in metal coordination sites across the interface (eg. zinc finger domain). These may be the reasons why Cysteine-Cysteine and Histidine-Histidine residue pairs have high scores. Other residue pairs with favourable contact scores are the oppositely charged residues (for eg. Lysine and Arginine (with positively charged side chains) with Glutamate and Aspartate (with negatively charged side chains)). These residue pairs form salt bridges across the interface and help strengthen the interaction. Also, since the burial of charged amino acid residues is energetically unfavourable they are often observed to be paired with oppositely charged amino acids.

The non-specific van der Waal's force is the major interaction force between the hydrophobic amino acids
(Leucine, Isoleucine, Alanine, Valine, Proline, Methionine, Phenylalanine and Tryptophan). Given the nonspecific nature of this interaction, the hydrophobic residues clump together showing no particular residue pair preferences. As seen in the contact potential matrix, any hydrophobic - hydrophobic residue pair gets a favourable score without showing any particular preferences, except in the case of Tryptophan-Tryptophan pairs which get a higher score than the other hydrophobic pairs.

In the log odds ratio matrix for the pairwise potential, the self-interaction scores between residues are high scoring. This means that like charged residue pairs (eg. Arginine-Arginine pairs) which are expected to get unfavourable scores are assigned favourable scores. A significant proportion of the dimer structures solved are homodimers and our dataset is also comprised of mostly homodimers. Because of the symmetric nature of the homodimers, it is likely that similar residues come closer more often and hence, they have high favourable scores in our score matrices. However, such like charge interactions have been the focus of other studies (Magalhaes et al., 1994, Pednekar et al., 2009) which find that such like charged pairs do occur in protein-protein interactions if the interaction between them is mediated through a water molecule (Heyda et al., 2010). Magalhaes et. al. (Magalhaes et al., 1994) provides examples several where Arginine-Arginine pairs are found in close proximity. Since water molecules cannot be reliably captured in low resolution X-ray crystal structures and also since information about the presence of water in the protein structures in our training set is missing, we cannot explore this possibility. An alternative hypothesis behind this observation might be that at the $4 \AA$ level, there might be significant main chain-main chain interactions which might contribute to the favourable scores for the diagonal elements. Further investigation is needed to pin down the reason behind this observation.

### 4.2.1 Testing the performance of pairwise potentials

Benchmarking by rank ordering is one of the most robust ways to test the performance of a potential as it imposes the stringent constraint that the native conformation must have the lowest score when compared with 1000 non-native confirmation scores. The results from this benchmark echo the ones observed using the ROC analysis. When this test was applied to compare the performance of a union of best performing potentials versus the performance of any one of these potentials, it was observed that the union of potentials performed better than the best performing potential. This seems to suggest that different potentials are more efficient at discriminating certain types of protein complexes than the other potentials. As an example, a protein from Enterococcus faecalis (PDB Code: 3NAT) was ranked 462 out of 1000 when a side chain-side chain potential was used. However, when a main chain-main chain potential was used on the same protein, it was ranked 1. This suggests that, in this protein, main chain-main chain interactions are more important at the interface than side chain-side chain interactions and hence, a main chain-main chain potential gave us better predictions.

Since, pairwise potentials interpret protein-protein interfaces in terms of isolated residue pair interactions, these potentials ignore the structural context of an amino acid residue in a protein. Often, the surrounding
amino acid residues of a particular residue may be important for bringing that residue in a particular confirmation to facilitate the interaction with the other subunit. This absence of contextual awareness might explain why these pairwise potentials do not predict protein complex formation perfectly.

### 4.3 Multibody Potentials

Statistical Potentials built using extended stretches of amino acid residues would solve the problem mentioned in the previous section. By taking into account the structural neighbourhood of an amino acid residue during the construction of the potential, we look for clusters of residues. Following the same assumption as in the pairwise potential, that the most frequently observed clusters of amino acid residues correspond to the energetically favourable states, attempts were made at constructing 5-body statistical potentials.

The structural definition of a multi-body clique across a protein interface is more complicated than the simplistic definition used for defining interactions in the pairwise potential case. Two different distance thresholds are now required for the definition, an intra-domain interaction distance and an inter-domain interaction distance. The most optimal values for these parameters are not easy to determine, a smaller, stringent distance threshold will take into account the strongest interactions but we may not sample enough distinct cliques, which would affect the performance of the potential. However, setting a liberal distance threshold, we may be able to get a larger number of multi-body cliques but only at the expense of picking up some false interactions. The problem of weighing the different interactions suffers in a similar way (the definition used in the pairwise case - any atom of residue $A$ lies within any atom of residue $B$; gives rise to a lot of false interactions when looking at cliques). Our results demonstrate that an appropriate weighting scheme can improve the prediction results significantly (Fig 3.7) . All these problems need substantial sampling to gauge the best definitions for a multi-body cliques. These refinements are being incorporated in the next iterations of multi-body potentials.

### 4.4 Validation on the RaIGEF-Ral system

The RaIGEF-Ral system is an important signalling pathway involved in oncogenesis. The ability of Ral to bind to six different variants of RalGEFs (RalGDS, RalGPS1, RalGPS2, RGL1, RGL2, RGL3) was tested using our pairwise statistical potentials. All six variants of RalGEFs were predicted to bind to Ral. Four of these variants (RGL1, RGL2, RGL3, RalGDS) are found to bind Ral experimentally, whereas the other two variants might be weakly interacting. Since the statistical potentials make predictions on binding events of two proteins, we suspect that if all the different GEFs are put in a in vitro setting, they will bind to Ral. However, in a cellular context, the bindings may not be strong, with proteins out-competing each other. Also, as statistical potentials are based on average properties of residue-residue interactions, they do not correlate well with binding affinities and hence fail to determine the RalGEF variants which bind Ral more strongly than the other variants.

We predicted some hotspot residues which upon mutations to other residues will weaken the interactions
between RGL1-Ral complex. These hotspots residues sit in complementary clusters and hence the mutation of these residues to residues which disrupt the interaction (oppositely charged residues in case of polar residues) will lead to unfavourable interactions that would destabilise the complex. This observation shows that along with complex level prediction of protein-protein binding, our statistical potential can also help predict important interactions at the residue level.

### 4.5 Applications

Apart from predicting whether two protein subunits would form a stable association or not, these potentials can be applied to a variety of problems such as the prediction of binding hot spot residues, protein design etc.

Experimental alanine scanning is one of the best methods to determine the contribution of individual residues to the stabilisation of a protein-protein interface. However, this method is very labor-intensive as it involves systematically mutating all the residues in a protein to alanine and measuring the effect of the mutation on the binding of the complex. Statistical potentials such as the one presented in this thesis can be used as an alternative method to predict hot spot residues across protein interfaces. In silico mutagenesis experiments are conducted on the protein of interest and then physical models of the protein are built. The resulting models are then scored using the statistical potential and the scores compared with the native model. Binding Hot Spot residues are then defined as those residues that lead to a large destabilisation in the final score of the protein.

These potentials can also aid in protein design processes. Given a protein structure, a favourable, complementary surface can be designed and optimised using these potentials which would ensure binding. Starting with a generic protein surface, residues on this surface can be tweaked to ensure complementarity with the target protein of interest. This method can also be employed to design novel antibodies.

The pairwise statistical potentials prediction system will be bundled in a web server in the near future, so that researchers can submit their protein complexes and make use of this facility. An ultimate test for the multibody potentials would be to test it on the solutions submitted by computational biologists for the target structures in CAPRI (Critical Assessment of PRediction of Interactions) (Janin, 2002). CAPRI is a community-wide, blind test experiment which tests the ability of protein-protein docking algorithms to predict modes of association between two proteins based on their three-dimensional structures.

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## Appendix A

## Supplementary Data

A. 1 Training Set PDB codes

| 1A25 | 1A2O | 1A6J | 1AAZ | 1AC6 | 1ADU | 1AMU | 1AOE | 1AOH | 1AOR | 1AQU | 1AT3 | 1ATZ | 1AU1 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1AYO | 1AZT | 1AZW | 1B3U | $1 \mathrm{B4} 3$ | $1 \mathrm{B88}$ | 1BC5 | 1BCM | 1BEH | 1BF6 | 1BIN | 1BJA | 1BMT | 1BQU |
| 1BXT | 1BYF | 1C3R | 1 C 94 | $1 \mathrm{C9O}$ | 1-14 | $1 \mathrm{Cl9}$ | 1CJA | 1CKU | 1COL | 1COZ | 1CP2 | 1CQ3 | 1CRU |
| 1CZP | 1D0Q | 1D20 | 1DBW | 1DDV | 1DEB | 1DEK | 1DJ7 | 1DJT | 1DLE | 1DM9 | 1DNP | 1DOW | 1DQE |
| 1DVK | 1DWU | 1DYN | 1 DYO | 1DYS | 1DZK | 1EOB | 1 E30 | 1E5R | 1E6C | 1E8C | 1E9G | 1EAJ | 1 ECE |
| 1EDM | 1EEJ | 1EEO | 1EGA | 1 EI7 | 1EJD | 1EJF | 1EK6 | 1EKE | 1EM9 | 1EPA | 1EQ9 | 1EUJ | 1EUV |
| 1EXT | 1EYV | 1EZG | 1 F 08 | 1FOK | 1FOL | 1F1C | 1F35 | 1F39 | 1F46 | 1F6B | 1F7D | 1F86 | 1F9M |
| 1FIW | 1FJ2 | 1FJR | 1FM0 | 1FMT | 1FN8 | 1FN9 | 1FNN | 1FOC | 1FP3 | 1FQT | 1FS5 | 1FSG | 1 FUU |
| 1G61 | $1 \mathrm{G71}$ | 1G8Q | 1GEQ | 1GG4 | 1GGG | 1GHE | 1GIQ | 1GL4 | 1GNW | 1GNX | 1GOI | 1GPE | 1GQA |
| 1GTD | 1GU2 | 1GU7 | 1GUD | 1GVE | 1GVF | 1GVK | 1GVU | 1GXM | 1GYG | 1GYO | 1H03 | 1H10 | 1H2B |
| 1H32 | 1H3F | 1H3L | 1H4P | 1H4R | 1H4X | 1H6G | 1H7S | 1H80 | 1H8G | 1H8P | $1 \mathrm{H97}$ | 1 H9O | 1 HEK |
| 1HKQ | 1HLC | 1HPL | 1HRU | 1HSL | 1HST | 1HY5 | 1119 | 1131 | 1132 | 114J | 114 N | 114 U | 117K |
| 1 IHN | 1112 | 1IJY | 1IN0 | 1107 | 1100 | 1 IPS | 1IQ4 | 1 IRD | 1IRX | 1ISI | 1 IT 2 | 1 ITH | 1 ITV |
| 1IWM | 1IX9 | 1IXC | 1IYB | 1125 | 1Jow | 1J1N | 1J2X | 1J3M | 1 J 6 R | 1 J 71 | 1 J 7 J | 1 J 83 | 1JAT |
| 1JEK | 1 JET | 1JFL | 1JH6 | 1JHF | $1 \mathrm{JI1}$ | 1JIH | 1 JLO | $1 \mathrm{JL9}$ | 1JMK | 1JMT | 1JO0 | 1JR2 | 1JS8 |
| 1JVN | 1JYA | 1K07 | 1K0E | 1K38 | 1K3S | 1K4Z | 1K66 | 1K68 | 1K6D | 1K8Q | 1KAG | 1 KAP | 1KCF |
| 1KHV | 1KJN | 1KMT | 1KNQ | 1 KOL | 1KPT | 1 KRH | 1KU1 | 1KUG | 1KUT | 1KWA | 1 KXI | 1KXJ | 1KYF |
| 1L1E | 1L1J | $1 \mathrm{L4I}$ | 1L5J | 1L6R | 1L7A | 1L7M | 1L8R | 1L9M | 1LB6 | 1LEH | 1LF6 | 1LK0 | 1LKK |
| 1LM4 | 1LM5 | 1LM7 | 1LNZ | 1LQT | 1LWJ | 1LXD | 1LYQ | 1MOZ | 1M1F | 1M1Z | 1M2D | 1M45 | 1M48 |
| 1M55 | 1M6U | 1M8A | 1 MBY | 1MI1 | 1MIW | 1MJH | 1MK4 | 1MKI | 1MKZ | 1MOL | 1MPG | 1MQS | 1MQV |
| 1MY7 | 1MZG | 1N08 | 1NOS | 1N1B | 1N2Z | 1N45 | 1N46 | 1N7H | 1N8V | 1NBQ | 1NCN | 1ND4 | 1NNW |
| 1NO7 | 1NOW | 1NPE | 1NQ7 | 1NQJ | 1NS5 | 1NSZ | 1NTV | 1NU0 | 1NU4 | 1NUB | 1NUL | 1 NUU | 1NXM |
| 100W | 1012 | $105 \cup$ | 1063 | 1071 | 1081 | 108B | 10AI | 10BB | 10 BO | 1OBX | 10CU | 1ODZ | 10F3 |
| 10FZ | 10H0 | 10HU | 10IZ | 10 J 5 | 10MZ | 10N2 | 100H | 10QJ | 10W4 | 1POK | 1P1X | 1P4U | 1P5T |
| 1P7W | 1P9L | 1P9Y | 1PAM | 1PBW | 1PD3 | 1PE9 | 1PFB | 1PGU | 1PKH | 1PP3 | 1PP4 | 1PQ4 | 1PQH |
| 1PS1 | 1PT6 | 1 PUI | 1PX5 | 1 PXY | 1PZL | 1PZX | 1Q1A | 1Q30 | 1Q67 | 1Q77 | 1Q7F | 1Q8Y | 1QAH |
| 1QDL | 1QEX | 1QF8 | 1QFT | 1QGR | 1QH5 | 1QJC | 1QJJ | 1QJS | 1QKR | 1QKS | 1QLS | 1QO2 | 1QOZ |
| 1QSD | 1QUP | 1QW9 | 1QWT | 1QYA | 1QYR | 1R12 | 1R1D | 1 R77 | 1R7A | 1R7L | 1R9D | 1RD5 | 1REG |
| 1RG8 | 1RHF | 1RHY | 1RIF | 1RKI | 1RKQ | 1RP0 | 1RRL | 1RRM | 1RW0 | 1RYL | 1RZU | 1RZX | 1SOP |
| 1S4K | 1S4N | 1S5P | 1 S 98 | 1S9R | 1SEI | 1SFD | 1SFL | 1SH0 | 1SH8 | 1SJ1 | 1SMO | 1SMX | 1SQJ |
| 1SQU | 1SUL | 1SW6 | 1SWV | 1Szo | 1SZH | 1SZW | 1 TOI | 1TOP | 1T1V | 1T2L | 1T3G | 1 T 40 | 1T6F |
| 1T6T | 1T7R | 1 T92 | 1 1BX | 1TDQ | 1TE2 | 1TE5 | 1 TH8 | 1 THT | 1TIQ | 1 TL9 | 1TLT | 1TOA | 1TR8 |
| 1TVF | 1TVN | 1TW4 | 1 U 00 | 1 U 07 | 1 U 19 | 1U5K | 1U5U | 1U7B | IUAX | 1UC7 | 1UCG | 1UCR | 1UEB |


| 1UG3 | 1UJ2 | 1UJN | 1UJW | 1UKC | 1UMU | 1UMZ | 1UOC | 1UPK | 1UPS | 1UQT | 1URH | 1URJ | 1URS |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 UTI | 1UV7 | 1UWW | 1UWZ | 1UXZ | 1UZ3 | 1V1A | 1V1P | 1 V 37 | 1 V 47 | 1 V74 | 1V8H | 1 V 96 | 1V9K |
| 1VA6 | 1VBK | 1VC1 | 1VC4 | 1VCD | 1VDR | 1VDW | 1VH5 | 1VHX | 1VI2 | 1 VIA | 1 VIO | 1VJ7 | 1VJL |
| 1VJQ | 1VJU | 1 VKI | 1VL4 | 1VM7 | 1VMA | 1Vmo | 1VP2 | 1VPV | 1VQQ | 1VQU | 1VS3 | 1VYB | 1VZY |
| 1W32 | 1W5R | 1W94 | 1W9C | 1W9P | 1W9S | 1WB4 | 1WB7 | 1WC3 | 1WDU | 1WDV | 1WEH | 1WKO | 1WKR |
| 1WLG | 1WMH | 1WMS | 1WMX | 1WN1 | 1WOQ | 1WPN | 1WQ6 | 1WR8 | 1WRA | 1WSC | 1WSR | 1WUF | 1WV2 |
| 1WVG | 1WWL | 1WWM | 1WWP | 1WZ9 | 1WZD | 1X2I | 1X61 | 1X70 | 1X9Z | 1XAH | 1XCR | 1XFS | 1XG2 |
| 1XGS | 1XHK | 1XI3 | 1XIY | 1XJU | 1XK9 | 1XM7 | 1XM8 | 1XOC | 1XOF | 1XQA | 1XQR | 1XRP | 1XRS |
| 1XSZ | 1XTN | 1 XVI | 1XVS | 1XVW | 1XYZ | 1XZO | 1YOU | 1Y1M | 1Y1P | 1Y3T | 1Y44 | 1Y4T | 1Y5H |
| 1 Y 71 | 1Y7Y | 1Y9Z | 1YAC | 1YBX | 1YC0 | $1 \mathrm{YC5}$ | 1YCD | 1YDY | 1YF2 | 1YGA | 1YLM | 1YLQ | 1YLX |
| 1YMT | 1YNP | 1YOC | 1YOD | 1YOZ | 1YPF | 1YPQ | 1YPY | 1YQ1 | 1YQ5 | 1YQD | 1YQH | 1YRK | 1YRR |
| 1YZ4 | 1YZH | 1YZY | 1Z1Y | 1Z2W | 1Z2Z | 1Z3E | 1Z6U | $1 \mathrm{Z72}$ | $1 \mathrm{Z85}$ | $1 \mathrm{Z96}$ | 1ZB1 | 1ZC6 | 1ZEE |
| 1ZH8 | 1 ZHH | 1ZJ8 | 1ZKC | 1ZKD | 1ZKI | 1ZLP | 1ZPL | 1ZQ9 | 1ZSO | 1ZTD | 1ZUO | 1ZUY | 1ZVT |
| 1ZY4 | $1 \mathrm{ZY7}$ | 1ZYS | 1ZZW | 2A0S | 2A1K | 2A2M | 2A2R | 2A35 | 2A5L | 2A6A | 2A6P | 2A70 | 2A8N |
| 2A9D | 2AB5 | 2ABQ | 2ABW | 2ACV | 2AE2 | 2AEE | 2AFB | 2AFC | 2AFW | 2AG4 | 2AHF | 2AHX | 2AIB |
| 2AJA | 2AMX | 2ANX | 2APO | 2AQ6 | 2AQP | 2ARO | 2ARC | 2AS9 | 2ASU | 2AUW | 2AVN | 2AYT | 2AZ4 |
| 2B0R | 2B1L | 2B2N | 2B3R | 2B3Y | 2B4M | 2B6C | 2B82 | 2B8N | $2 \mathrm{B97}$ | 2B9D | 2B9H | 2B9R | 2BBA |
| 2BCO | 2BGH | 2BHG | 2BJD | 2BJN | 2BKL | 2BKM | 2BLF | 2BLN | 2BM5 | 2BON | 2BPH | 2BPO | 2BPS |
| 2BRW | 2BRY | 2 BSJ | 2BT6 | 2BU3 | 2BV4 | 2BVF | 2BWF | 2BWR | 2BYC | 2BZ9 | 2C0G | 2 C 31 | $2 \mathrm{C40}$ |
| 2C5U | $2 \mathrm{C77}$ | $2 \mathrm{C8J}$ | 2 C 95 | 2CAR | 2CAY | 2CB8 | 2CCO | $2 \mathrm{CC3}$ | 2CFA | 2CFO | 2CGK | 2 Cl 5 | 2 CIA |
| 2CJ4 | 2CJP | 2CKD | 2CN3 | $2 \mathrm{CO5}$ | 2CU3 | 2CUN | 2CV8 | 2CVH | 2 CVI | 2CX6 | 2CX7 | 2CXD | 2 CY 9 |
| 2D1G | 2D1H | 2D42 | 2D4G | 2D5C | 2DB0 | 2DB7 | 2DBS | 2DC0 | 2DC3 | 2DC4 | 2DEB | 2DFJ | 2DFY |
| 2DI4 | 2DOK | 2DPR | 2DPS | 2DPY | 2DQ4 | 2DQA | 2DQL | 2DQW | 2DS5 | 2DSJ | 2DTC | 2DUR | 2DXU |
| 2DYJ | 2E12 | 2E2E | 2E3P | 2E5Y | 2E85 | 2E8G | 2E8Y | 2EAB | 2EAV | 2EAY | 2EBE | 2EBJ | 2EEN |
| 2EF8 | 2EG4 | 2EGG | 2EGJ | 2EGZ | 2EHP | 2EIH | 2EIS | 2 EIX | 2EJA | 2EJN | 2EJQ | 2EKC | 2ERV |
| 2EUC | 2EXO | 2EXV | 2F20 | 2 F 23 | 2 F 25 | 2 F 31 | 2 F 37 | 2 F 30 | 2F4E | 2F4M | 2 F 51 | 2F5J | 2F5Y |
| 2F7L | 2F8M | 2 F 8 Y | $2 \mathrm{F9H}$ | 2F9S | 2FAE | 2 FAO | 2FAZ | 2FCO | 2 FCT | 2FCW | 2FEA | 2FFG | 2FFI |
| 2FFU | 2FH5 | 2FHP | 2 FHQ | 2FHZ | 2 FIA | 2FJR | 2 FK 5 | 2FLU | 2FNO | 2FNA | 2FNO | 2FP1 | 2FPR |
| 2FSH | 2FSK | 2FT0 | 2FTR | 2FTX | 2FU4 | 2FV7 | 2FVU | 2FYX | 2FZF | 2G09 | 2G3W | 2G58 | 2G6T |
| 2G7Z | 2G8L | 2GA1 | 2GAI | 2GAK | 2GCL | 2GCO | 2GD9 | 2GDQ | 2GEC | 2GF3 | 2GF4 | 2GFF | 2GGS |
| 2GGZ | 2GHA | 2GHV | 2GIY | 2GJ3 | 2GLZ | 2GMF | 2GMQ | 2GN4 | 2GOM | 2GOP | 2GP4 | 2GPY | 2GPZ |
| 2GRR | 2GRU | 2GS9 | 2GSO | 2GSV | 2GT1 | 2GV9 | 2GVY | 2GZ6 | 2GZB | 2GZX | 2 H 1 C | 2H1E | 2 H 1 Y |
| 2H34 | 2 H 3 H | 2H7Z | 2 H 98 | 2HAL | 2HB0 | 2HBA | 2HDI | 2HDV | 2HEK | 2HEV | 2HF1 | 2HF2 | 2HF9 |
| 2HFS | 2 HIO | 2 HIH | 2 HIN | 2HJ3 | 2HJV | 2HKE | 2HLC | 2HLS | 2HNL | 2HP4 | 2 HPL | 2HQ4 | 2HQ9 |
| 2HQY | 2HRA | 2 HRV | 2 HSI | 2HTA | 2HU9 | 2HW6 | 2HWY | 2102 | 210 E | 2115 | 211Y | 2127 | 2120 |
| 214R | 214 S | 2158 | 215G | 216 H | 216K | 216 L | 2174 | 219x | 2 IA 1 | $21 A B$ | 21 BO | $218 N$ | 21 C 2 |
| 21 CH | 2ID1 | 2IDL | $21 E P$ | 2IEW | 2IG3 | 2IM8 | 2IMZ | 21 N 5 | 2INW | 2 Q J | 21 PP | 21 RU | 2ISM |
| 21TB | 2ITM | 2IUY | $21 \times N$ | 21XO | 2IXS | 2IYG | 2IYK | 2 IZ6 | 2 J 16 | 2 J 1 V | 2J4D | 2J5B | 2 J 5 Y |
| 2 J 81 | 2J9W | 2 JBV | 2 JBX | 2 JCB | 2JD4 | 2JDA | 2 JDJ | 2JE8 | 2JEM | 2JEP | 2JF7 | 2JFZ | 2JGB |
| 2 JHN | $2 \mathrm{2JIG}$ | 2 JIK | 2JJ7 | 2JK9 | 2JKG | 2JKH | 2MSB | 2NLI | 2NLV | 2NOG | 2NRV | 2NS9 | 2NTE |
| 2NTT | 2NTX | 2 NUJ | 2NV0 | 2NW0 | 2 NYU | 2NZ5 | 2016 | 201E | 201K | 201Q | 202K | 2O2T | 2030 |
| 203B | 2031 | 205A | 2 OH | 205N | 2062 | 206L | 206P | 207G | 2085 | 2049 | 2OAF | 2 BB | $20 \mathrm{B9}$ |
| 20D0 | 20D4 | 20DA | 2ODM | 20EE | 20ER | 2OFC | 20FP | 2OFY | 20G1 | 20GI | 2OJL | 20KC | 2OKG |
| 2027 | 20LW | 20M6 | 200 C | 2001 | 20PI | 2021 | 20QA | 20QB | 20QC | 20QQ | 2ORV | 20RW | 2OTN |
| 20US | 20vs | 20WA | 20WL | 20xC | 20XL | 20 Y 9 | 20YK | 2 Z 5 | 2OZJ | 2OZV | $20 Z Z$ | 2P08 | 2POM |
| 2P11 | 2 P 12 | 2P13 | 2P1A | 2P1G | 2P35 | 2P38 | 2P3P | 2P4P | 2P4Z | 2P62 | 2P6C | 2P6H | 2P6X |
| 2P71 | 2 P 8 J | 2P9R | 2 PA 2 | 2PBF | 2PD2 | 2PF6 | 2PFI | 2PHK | 2PIE | 2 PIF | 2PK3 | 2PKE | 2PKF |
| 2PLG | 2 LLR | 2 PMA | 2PNZ | 2POF | 2 PPT | 2PPW | 2PQG | 2PQV | 2PR7 | 2PR8 | 2PRV | 2 PRX | 2PSP |
| 2PW0 | 2PX6 | 2PYG | 2PZ0 | 2PZE | 2PZI | 2 Q03 | 2Q0N | 2Q24 | 2Q2B | 2Q2G | 2Q3F | 2Q3G | 2Q3X |
| 2Q5C | 2Q5W | $2 \mathrm{Q6O}$ | 2Q7T | 2Q7X | 2 Q 3 | 2Q8X | $2 \mathrm{Q9O}$ | 2QA9 | 2QAI | 2QB7 | 2QCQ | 2QCU | 2QCX |
| 2QDQ | 2QDR | 2QE8 | 2QEB | 2QF4 | 2QF9 | 2QG3 | 2QH5 | 2QH9 | 2QHQ | 2QJ3 | 2QJ8 | 2QJV | 2QJZ |
| 2QKH | 2QKL | 2QMW | 2QN4 | 2QND | 2QOS | 2QRR | 2QS8 | 2QSJ | 2QSQ | 2QSX | 2QTY | 2QVO | 2QV5 |
| 2QX5 | 2QXX | 2QXY | 2QY1 | 2QY6 | 2QYC | 2QYV | 2QZ7 | 2QZA | 2QZC | 2R15 | 2R19 | 2R25 | 2R2A |
| 2R5X | 2R6J | 2R60 | 2R6Z | 2 R 76 | 2R85 | 2R8B | 2R8Q | 2R8R | 2RA4 | 2RAD | 2RB6 | 2 RBD | 2RBG |


| 2REE | 2REK | 2RFM | 2RG4 | 2RG8 | 2R19 | 2 RJI | 2RJW | 2RKK | 2RL8 | 2RMP | 2SCP | 2SQC | 2UVF |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 2UWI | 2UXT | 2V1Q | 2 V 1 Y | 2V25 | 2V27 | 2V2F | 2V33 | 2 V 3 T | 2V3Z | 2V5C | 2V5E | 2V6U | 2V6V |
| 2V8P | 2 V 94 | 2V9B | 2 V 9 T | 2 VA 8 | 2 VCY | 2VD3 | 2VE3 | 2VGX | 2VH1 | 2VH3 | 2VHA | 2VHF | 2VK7 |
| 2VKP | 2VLQ | 2VLU | 2VNG | 2 VOB | 2VOK | 2VOZ | 2VP8 | 2VPN | 2VPP | 2VPV | 2VQ3 | 2VQH | 2VQQ |
| 2VRN | 2VVE | 2VVG | 2VVW | 2VXB | 2VXG | 2VYı | 2VZC | 2W00 | 2W1J | 2W1K | 2W2G | 2W3G | 2W3Y |
| 2W50 | 2W53 | 2W56 | 2W59 | 2W5F | 2W5z | 2W7A | 2W7V | 2W7Z | 2W8D | 2W8M | 2W9J | 2W9T | 2W9x |
| 2WB7 | 2WB9 | 2WCR | 2WD6 | 2WE8 | 2WEE | 2WEK | 2WFH | 2WFV | 2WG7 | 2WHN | 2WIV | 2WJ9 | 2WKF |
| 2WNH | 2WNY | 2WOD | 2WOK | 2WP4 | 2WPX | 2WRZ | 2WTP | 2WUQ | 2WVQ | 2WZ1 | $2 \times 02$ | 2X03 | 2XOK |
| 2X1Q | $2 \times 32$ | 2X3J | 2X4D | 2X4K | 2X5Q | 2X61 | 2X6R | 2X7X | 2X8S | 2X98 | 2X9J | 2X9Q | 2XCJ |
| 2XE4 | 2XEP | 2XES | 2XET | 2XEX | 2XFA | 2XFV | 2XGG | 2XGU | 2XHA | 2XHF | 2XHS | 2XI8 | 2XI9 |
| 2XMJ | 2XMO | 2XMX | 2 XOC | 2XOL | 2XOT | 2XPP | 2XQX | 2XR1 | 2XSs | 2XSW | 2XT2 | 2XTL | 2XTM |
| 2XTY | 2XUA | 2xus | 2 XVC | 2XVM | 2XXN | 2XYI | 2XZ4 | 2XZ8 | 2XZI | 2Y1H | 2Y2X | 2 Y 43 | 2 Y 4 J |
| 2Y7E | 2 Y 71 | 2Y7S | 2Y8E | 2 Y 8 U | 2Y9M | $2 \mathrm{YB7}$ | 2 YCH | 2YEQ | 2YFQ | $2 \mathrm{YG2}$ | 2YHN | 2YJ6 | 2YJG |
| 2YKT | 2 YMY | 2YN1 | 2 YN 5 | $2 \mathrm{YN7}$ | 2YNA | 2YOA | 2YOC | 2YOR | 2YQY | 2YQZ | 2 YR 1 | 2YV9 | 2YVR |
| 2YWW | 2YXD | 2YXE | 2YXO | 2YXW | 2YY6 | 2 YYB | 2 YYS | 2 YYV | 2 ZOU | $2 \mathrm{Z22}$ | $2 \mathrm{Z26}$ | 2Z5B | 2Z5D |
| $2 \mathrm{Z64}$ | $2 \mathrm{Z73}$ | 2Z8F | 2Z8G | 2ZAY | 2ZBI | 2ZC2 | 2ZCA | 2ZFU | 2ZGY | 2ZKT | 2ZMV | 2ZOS | 2ZOU |
| 2ZSI | 2ZTB | 2ZU9 | 2ZVD | 2ZVR | 2ZWA | 2ZWI | 2ZWR | 2ZX2 | 2ZXD | 2ZYR | $2 Z Z 8$ | $2 Z Z V$ | 3 307 |
| 3AOY | 3A1D | 3 A 1 S | 3 A 21 | 3A24 | 3 A 35 | 3 A 43 | 3A45 | 3 A 4 M | 3A4R | 3 A 4 T | 3A54 | 3A5I | 3 A 6 S |
| 3A9F | 3A9L | 3AAG | 3AAY | 3AB1 | 3ABG | 3ADR | 3AEH | 3AEI | 3AFF | 3AFM | 3AGX | 3AHN | 3AIH |
| 3AJ6 | 3AJA | 3AJR | 3AKJ | 3AL3 | 3AMI | 3AMN | 3ANW | 3AOF | 3 APQ | 3APR | 3APT | 3APU | 3APZ |
| 3AQ9 | 3AQG | 3AQL | 3AS5 | 3ASL | 3ATY | 3AU4 | 3AVR | 3AWU | 3AXA | 3AXD | 3AYC | 3AZD | 3AZO |
| 3B0F | 3B0P | $3 \mathrm{B4N}$ | 3B4Q | 3B5E | 3B51 | 3B5Q | 3B6H | $3 \mathrm{B73}$ | 3B7S | 3B85 | 3BA3 | 3 BBD | 3BBZ |
| 3BDV | 3BE3 | 3BEU | 3BF7 | 3BFV | 3BGA | 3BGE | 3BGH | 3BGY | 3BH4 | 3BHD | 3BHW | 3BIT | 3BJ4 |
| 3BMX | 3BNW | 3BO6 | 3 BOH | 3BOO | 3BP3 | 3BQ9 | 3BQO | 3BQP | 3BRN | 3BRS | 3BS6 | $3 \mathrm{BS7}$ | 3BTP |
| 3BUS | 3BVO | 3 BVP | 3BW1 | 3BWS | 3 BWV | 3BXP | 3BXW | 3BYP | 3BZB | 3BZY | 3C0G | 3 COU | 3 C 1 A |
| 3C3R | 3 C 4 N | 3 C 4 S | 3 C 4 V | 3 C 57 | 3 C 5 N | 3C7M | $3 \mathrm{C8C}$ | 3C8L | 3C9F | 3C9G | $3 \mathrm{C9H}$ | 3C9Q | 3CB2 |
| 3CBW | 3CEG | 3CEI | 3CEU | 3CEX | 3CFU | 3CG6 | 3CG7 | 3 CHH | 3 CIO | 3CIT | 3CJP | 3CK1 | 3CKC |
| 3CLK | 3 CNH | 3 CNR | 3CNY | 3 COB | 3 COK | 3COL | 3 cov | $3 \mathrm{CP7}$ | 3 CPT | 3CQB | 3CQC | 3CQL | 3CRN |
| 3CT6 | 3CU2 | $3 \mathrm{CU5}$ | 3CUC | 3CV0 | 3CWC | 3CWF | 3 CWV | 3 CX 3 | 3CYG | 3CZ1 | 3CZB | 3 CZH | 3D21 |
| 3D34 | 3 D 37 | 3D3B | 3D3Q | 3D4J | 3 D 59 | 3D5J | 3D5P | 3D61 | 3D6R | 3D6W | 3D7A | 3D8C | 3D8D |
| 3D8U | 3D9Y | 3DA5 | 3DAD | $3 \mathrm{DB0}$ | 3DBA | 3DBG | $3 \mathrm{DC6}$ | 3DCD | 3DDE | 3DDL | 3DEP | 3DEU | 3DGP |
| 3DKA | 3DLQ | 3DME | 3DNF | 3DNS | 3DNT | 3DO8 | 3 DOH | 3DR2 | 3DRF | 3DRN | 3DRW | 3DS2 | 3DSK |
| 3DTB | 3DTN | 3DUP | 3DWM | 3DWV | 3DXO | 3 DXQ | 3DXR | 3DYJ | 3DYN | 3DZV | 3E0X | 3E11 | 3E2V |
| 3E3R | 3E48 | 3E4W | 3 E 57 | 3E58 | 3E7H | 3E7J | 3E9C | 3E9G | 3EA0 | 3EAE | 3EAG | 3EB8 | 3EB9 |
| 3EC3 | 3EC4 | 3EC9 | 3ECN | 3ECQ | 3ECR | 3EDN | 3EDP | 3EDV | 3EE6 | 3EEA | 3EEF | 3EEQ | 3EFP |
| 3EGR | 3EHD | 3EIP | 3EJW | 3ELK | 3EMX | 3EN9 | 3ENC | 3ENP | 3E06 | 3EOP | 3EOQ | 3EOZ | 3EP0 |
| 3EPS | 3EQX | 3EQZ | 3ERP | 3ERX | 3ESA | 3ESL | 3ETC | 3ETO | 3ETQ | 3ETZ | 3EU7 | 3EUS | 3EVI |
| 3EVY | 3EWI | 3EWL | 3EWM | 3EWO | 3EYY | 3EZH | 3F08 | 3FOP | 3 F 13 | 3F1P | 3 F 42 | 3F4A | 3F5H |
| 3F66 | 3 F 69 | 3F6C | 3F6I | 3F6K | 3 F 60 | 3 F 70 | 3F7E | 3F7Q | 3F8B | $3 \mathrm{F95}$ | $3 \mathrm{F9U}$ | 3FB9 | 3FBG |
| 3 FCD | 3FCG | 3FCM | 3FD4 | 3FD7 | 3 FDI | 3FDW | 3FDX | 3FE3 | 3FE4 | 3FF1 | 3FF5 | 3FG7 | $3 F G V$ |
| 3FHW | 3FID | 3 FIL | $3 F J V$ | 3FLA | 3FLE | 3FLT | 3FM2 | 3FM3 | 3FN1 | 3FN5 | 3FNC | 3FO3 | 3FO5 |
| 3FPK | 3FPN | 3FPR | 3FQD | 3FQM | 3FSO | 3FUT | 3FVD | 3 FVV | 3FVW | 3FW3 | 3FYF | 3FZY | 3G12 |
| 3G1E | 3G1J | 3G1P | 3G23 | 3G2F | 3G2M | 3G3R | 3G3S | 3G46 | 3G48 | 3G4D | 3G4E | 3G5J | 3G68 |
| 3G8K | 3GAE | 3GAX | 3GAZ | 3GBV | 3GBY | 3GD4 | 3GDI | 3GF5 | 3GF6 | 3GFF | 3GFV | 3GGN | 3GHD |
| 3G17 | 3GID | 3GJ0 | 3GKN | 3GKX | 3GLV | 3GME | 3GMG | 3GNL | 3GO6 | 3GOC | 3GPK | 3GPV | 3GQS |
| 3GRA | 3GRD | 3GRI | 3GRN | 3GRO | 3GRZ | 3GUD | 3GUE | 3GUU | 3GV4 | 3GVE | 3GWB | 3GWL | 3GWR |
| 3GXH | 3GYC | 3 GYZ | 3GZ5 | 3GZA | 3H05 | 3 H 1 Q | 3H2B | 3 H 2 S | 3H30 | 3H3A | 3 H 3 N | 3H5J | 3H5L |
| 3H7J | 3H7O | 3H8Q | 3 H 8 V | 3HA2 | 3HAM | 3HBW | 3HCS | 3HCW | 3 HCY | 3HDF | 3HDT | 3HEB | 3HFH |
| 3HGT | 3HHF | 3HHI | 3 HIS | 3HJ4 | 3HJ6 | 3HJG | 3HK0 | 3HKL | 3 HKS | 3 HKV | 3HL1 | 3HL6 | 3HLK |
| 3HM4 | 3HME | 3HMT | 3 HNO | 3HN5 | 3HO6 | 3 HOB | 3HPE | 3HPK | 3HQR | 3HRQ | 3HRS | 3HS3 | $3 \mathrm{HU5}$ |
| 3HV1 | 3HV2 | 3HWJ | 3HWO | 3HWP | 3HYO | 3 HYJ | 3100 | 311 A | 3111 | 313 Q | 313 W | 3141 | 3140 |
| 3157 | 3150 | 315 R | 315 W | 316 D | 316 S | 317 J | 3183 | 318 N | 319 F | 31 A 1 | 3148 | 31 AU | 3183 |
| $318 W$ | 31 BX | $3 \mathrm{IC5}$ | 3 ICY | 31 D 9 | 3IDF | 3 IE 4 | 31 E 5 | 31 EG | 3IGE | 31 HS | 31HT | 31 HV | $311 C$ |
| 3IJL | 3IJM | 3IJW | 31KB | 3INO | 3101 | 31OL | 3IPF | 31 PJ | 31 PO | 3IQ0 | 31Q2 | 3IQC | 3IQU |


| $3 \mathrm{IR9}$ | 31 RB | 3156 | 3ITE | $31 T Q$ | $317 W$ | 31 U 1 | 3IUK | $31 \cup 0$ | 3IUP | 3 IUS | 3IUW | 3IUY | 3IV7 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 3IVL | 3 IVV | 31WF | 3IWG | 31X1 | $31 \times 3$ | $31 \times 7$ | $31 \times 9$ | 3JQ1 | 3JR7 | 3JRR | 3 JRU | 3JSB | 3JSL |
| 3JT0 | 3JTN | 3 JUU | 3JW8 | 3 JWI | 3JXF | 3 JXO | 3KOZ | 3K1R | 3K1W | 3K2A | 3K2N | 3K2O | 3K2Z |
| 3K51 | 3 K 50 | 3K6F | 3K60 | 3K7B | 3K85 | 3K8G | 3K8R | 3K9V | 3KA5 | 3KB1 | 3KB2 | 3KBQ | 3KBY |
| 3KD3 | 3KD4 | 3KD6 | 3KDG | 3KEA | 3KEP | 3KEW | 3KEZ | 3KF6 | 3KFA | 3KG8 | 3KG9 | 3KGK | 3KHE |
| 3KHN | 3KK7 | 3KKS | 3KLQ | 3KM5 | 3KMA | 3KMI | 3KMR | 3KNB | 3KPE | 3KS9 | 3KSM | 3KSU | 3KTZ |
| 3KUZ | 3KWR | 3KY9 | 3 KYJ | 3KZY | 3L01 | 3L0Q | 3LOR | 3L12 | 3L15 | 3L18 | 3L32 | 3L46 | 3 L 50 |
| 3L6I | 3L6T | 3L6V | 3L6X | 3L70 | 3L81 | 3L8C | 3L8E | 3L8M | 3L9J | 3LAE | 3LAG | 3LAZ | 3LB2 |
| 3LET | 3LF5 | 3LFR | 3LFT | 3LG3 | 3LGB | 3LHN | 3LHX | 3 LID | 3LIF | 3LIU | 3LJB | 3LJS | 3LKB |
| 3LKL | 3LLM | 3LLP | 3LLZ | 3LM2 | 3LMH | 3LMN | 3LNN | 3LNY | 3LQ9 | 3LQM | 3LS1 | 3LS8 | 3LST |
| 3LUO | 3LVC | 3LWE | 3LX4 | 3LX6 | 3LXQ | 3LY0 | 3LYP | 3LYX | 3M33 | 3M6Z | 3M7A | 3M8J | 3M8T |
| 3 MAB | 3MAL | 3MAZ | 3MB4 | 3MBC | 3MC9 | 3MCA | 3MCB | 3MCF | 3MCS | 3MCW | 3MD1 | 3MD9 | 3MDF |
| 3ME4 | 3ME7 | 3MEA | 3MER | 3MFD | 3MG1 | 3MGD | 3MGG | 3MH9 | 3MIT | 3MIZ | 3MJQ | 3MK4 | 3 MKL |
| 3MNL | 3MOZ | 3MPC | 3MPD | 3MQ2 | 3MR0 | 3MTI | 3MTK | 3MTR | 3MUQ | 3MUX | 3MVC | 3MVP | 3MWB |
| 3MWX | 3MX3 | 3MXO | 3MYU | 3MYV | 3MYX | 3MZ2 | 3N01 | 3N08 | 3N10 | 3N1E | 3N41 | 3N6Y | 3N72 |
| 3N89 | $3 \mathrm{N9B}$ | 3 N 9 V | 3NA5 | 3NBC | 3NCE | 3NCX | 3NDA | 3NDO | 3NEK | 3NEQ | 3NFH | 3NFQ | 3NGF |
| 3NHM | 3N17 | 3NIQ | 3NJ2 | 3NJE | 3NK6 | 3NKL | 3NKU | 3NME | 3NMW | 3NNG | 3NNN | 3NNS | 3NO8 |
| 3NPF | 3NPP | 3NQN | 3NR1 | 3NRF | 3NRH | 3NRL | 3NRX | 3NT8 | 3NTK | 3NTX | 3NUF | 3NW0 | 3NWP |
| 3NY3 | 3 NYI | 3NZE | 3NZN | 3NZZ | 300A | 300L | 300 Q | 300x | 3014 | 302 U | 3053 | 305 Y | 3060 |
| 3066 | 306W | 307A | 3083 | 308Q | 30AJ | 3OBE | 3OBF | 30BH | 30BL | $30 B Q$ | 30BY | 3000 | 30CP |
| $30 \mathrm{G5}$ | $30 \mathrm{G6}$ | 3067 | 30GN | 30HE | 3012 | 30KW | 30KZ | 30 L 3 | 30MD | 30MT | 3ON3 | 30N9 | 30 NM |
| 300 V | 300X | 30P6 | 3OPE | 30QI | 3072 | 3OTN | 30VP | 30WC | 30WG | 30XP | 30 Y 2 | 30 YO | 30YY |
| 30ZD | 30Z1 | 30ZX | 3P09 | 3 POU | 3 P 1 U | 3P2E | 3P3Q | 3 P 3 V | 3P5R | 3P69 | 3P6A | 3P9X | 3PAF |
| 3PC6 | 3PD7 | 3PE5 | 3PES | 3PET | 3PF8 | 3PG7 | 3PGG | $3 P G S$ | 3PH9 | 3PHG | 3 PHX | 3 3IV | 3PJP |
| $3 \mathrm{PM6}$ | 3 PMC | 3PMG | 3PNR | 3 PQH | 3PQU | 3 PRB | 3PSM | 3PSQ | 3PT3 | 3PT8 | $3 \mathrm{PU8}$ | 3PVE | 3 PWX |
| 3Q18 | 3Q1। | 3Q2J | 3Q49 | 3Q6K | 3Q6V | 3Q72 | 3Q7R | 3Q87 | 3QAT | 3QAX | 3QB8 | 3QC2 | 3QC4 |
| 3QE2 | 3QEE | 3QEK | 3QF2 | 3QHB | 3QHP | 3QHQ | 3Q17 | 3QIJ | 3QIS | 3QN9 | 3QPI | 3QR2 | 3QR7 |
| 3QRC | 3QSL | 3QSZ | 3QT5 | 3QTA | 3QTG | 3QTM | 3QU5 | 3QUF | 3QVL | 3QVM | 3QW9 | 3QWG | 3QX1 |
| 3QYE | 3QYY | 3QZ4 | 3QZM | 3QZR | 3 R 07 | 3ROJ | 3R15 | 3R1J | 3R27 | 3R41 | 3R42 | 3R4R | 3R4S |
| 3R5Z | 3R62 | 3R6A | 3R7A | 3R7G | 3RA5 | 3RAO | 3RAU | 3RB5 | 3 RBY | 3RC4 | 3RDK | 3RE1 | 3RE4 |
| 3RFS | 3RGC | 3RGH | 3RH0 | 3RHY | 3RHZ | 3RI0 | 3RJT | 3RK1 | 3RKC | 3RLS | 3RMH | 3 RNQ | 3RO3 |
| 3ROI | 3ROT | 3RP2 | 3 RPJ | 3RQ9 | 3RS1 | 3RUX | 3RV6 | 3RY0 | 3 RY 3 | 3SOR | 3SOT | 3S2X | 3 S 4 K |
| 3S5B | 3S5F | 3S5W | 3 S63 | 3S6E | 3S7D | 3581 | 3S8K | 3S8P | $3 \mathrm{S93}$ | $3 \mathrm{S95}$ | $359 \cup$ | 3SAF | 3SAO |
| 3 SCZ | 3SD4 | 3SEI | 3SEO | 3SFW | 3SG8 | 3SGH | 3SHP | 3SIM | 3SIT | 3SJ5 | 3SKV | 3SLU | 3SLZ |
| $3 \mathrm{SO6}$ | 3SOJ | 3SOK | 3 SON | 3 SOV | 3SP1 | 3SP4 | 3SPE | 3SQF | 3SQJ | 3SRI | 3STY | 3SUB | 3SUK |
| 3SWH | 3SYL | 3SZ6 | 3 TOP | 3 T 13 | 3T10 | $3 T 47$ | 3T4L | 3T5G | 3T5X | 3T6K | 3T8B | 3T9G | 3T9K |
| 3TB6 | 3TBH | 3TC8 | 3TCA | 3 TCN | 3 TCR | 3 TCV | $3 T D N$ | 3 3TDQ | 3TDV | 3TE8 | 3TEB | 3TEJ | 3TEK |
| 3 3TEV | 3TFG | 3 TII | 3 TIQ | 3TKF | 3TL1 | $3 T L Q$ | 3TM8 | 3 3TOD | 3 TOV | 3 TP2 | 3 3TP9 | 3TQF | 3TQW |
| 3 TRB | 3TSA | 3TSJ | 3TSM | 3TTM | 3TUF | 3TV1 | 3TVA | 3TVT | 3 3TWD | 3TWE | 3TWF | 3TWK | $3 \mathrm{TX3}$ |
| $3 T Y Q$ | 3TZG | 3TZT | 3U0H | 300J | 3U1D | 3010 | 3U1X | 3 U 21 | 3 U 23 | 3U3B | $3 \cup 47$ | 3 U 4 Y | $3 \mathrm{U} \mathbf{Z}$ |
| 3U7R | 3072 | 3 O 0 | 3 U 8 V | 3096 | 3U9J | 349 Q | 3UAN | 3UC4 | 3UEC | 3UES | 3UGF | 3UHA | 3 UID |
| 3UIW | 3UL3 | 3ULJ | 3 ULL | 3ULT | 3ULY | 3UMZ | 3UN7 | $3 \mathrm{OO3}$ | 3UP1 | 3 UP3 | 3UPV | 3UR8 | 3URR |
| 3USH | 3USS | 3USY | 3UT4 | 3UUG | 3UV0 | 3UV1 | 3 UXN | $3 \mathrm{YY7}$ | 3 YYJ | 3V0D | 3V1E | 3V30 | 3 V 33 |
| 3V3L | 3V43 | 3V48 | 3V67 | 3V69 | 3V8D | 3V81 | 3 V 97 | 3 V 98 | 3VAS | 3VAY | 3VCC | 3VCF | 3 VDH |
| 3VEJ | 3VF1 | 3 VFZ | 3VHS | 3VJA | 3VJE | 3VJP | 3VK5 | 3VKG | 3VMT | 3VO2 | 3VOQ | 3VPP | 3VPS |
| 3VRC | 3VTA | 3 VTH | 3VTX | $3 \mathrm{VU2}$ | $3 \mathrm{VU4}$ | 3VU9 | 3VUP | 3VUS | 3VV1 | 3VV3 | 3VV5 | $3 \mathrm{VX3}$ | 3VX4 |
| 3VYP | 3VZI | 3W08 | 3WOE | 3W0K | 3W19 | 3W10 | 3W2Y | 3W3W | 3W4S | 3W57 | 3W5F | 3W5S | 3W6P |
| 3W7T | 3W9s | 3 W 9 V | 3WA4 | 3WA8 | 3WAE | 3WAS | 3WDF | 3WDW | 3WE2 | 3WE5 | 3WEA | 3WEU | 3WFI |
| 3WH9 | 3WHT | 3WI7 | 3WJ9 | 3WKY | 3WL2 | 3WL4 | 3WL6 | 3WMD | 3WMG | 3WMI | 3WNO | 3WOL | 3WPW |
| 3WQO | 3WUR | 3WV4 | 3WWN | 3WX1 | 3WYD | 3ZBD | 3ZBO | 3ZD2 | 3ZFI | 3ZG6 | 3ZGJ | 3ZH5 | 3ZHO |
| 3ZIH | 3ZIL | 3 ZIT | $3 Z 1 \mathrm{U}$ | 3ZJE | 3ZK9 | 3ZL1 | 3ZME | 3ZMR | $3 \mathrm{ZO9}$ | 3 ZPY | 3ZQS | 3ZRG | 3ZTP |
| 3ZWF | 3 ZXC | 3ZXF | 3 ZXN | $3 \mathrm{ZY7}$ | 3ZYG | 3ZYL | 3ZYR | 3ZYW | 4A0E | 4A0Z | 4A2O | 4A37 | 4A48 |
| 4A6F | 4A6V | 4A7U | 4A7W | 4A8H | 4AAZ | 4ACV | 4ADN | 4ADT | 4ADY | 4ADZ | 4AE4 | 4AEE | 4AEF |
| 4AGG | 4AHC | 4AJW | 4AKL | 4AKM | 4ALF | 4AM6 | 4AMJ | 4APX | 4AQN | 4ARV | 4ASR | 4AU9 | 4AUC |


| 4AUP | 4AVB | 4AVR | 4AWX | 4AXK | 4AXN | 4AYO | 4AYA | 4AYG | 4B0Z | 4B1Y | 4B2N | 4B3B | 4B45 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 4B5Q | 4B61 | 4B6G | 4B6M | 4B6X | 4B8B | 4B8E | 4B91 | $4 \mathrm{B9} 93$ | 4B9G | 4BD2 | 4BEG | 4BFA | 4BG2 |
| 4BGO | 4BHR | 4BI3 | 4BLU | 4BND | 4BOP | 4BPG | 4BPZ | 4BQ4 | 4BQ9 | 4BQN | 4BQU | 4BRC | 4BS6 |
| 4BSZ | 4BUC | 4 BUU | 4 BVQ | 4 BVX | 4BWO | 4BWV | 4BX8 | 4BXH | 4 COR | 4C16 | 4C1D | 4C1L | 4 C 1 S |
| 4C23 | 4C29 | 4C3D | $4 \mathrm{C76}$ | 4C7A | 4C7D | 4C8B | $4 \mathrm{C97}$ | $4 \mathrm{C9Y}$ | 4CA1 | 4CB7 | 4CBP | 4CDJ | 4CEM |
| 4CGR | 4CGS | 4CGY | 4 CHF | 4CHH | $4 \mathrm{Cl7}$ | 4 Cl 8 | 4CJ0 | 4CJ9 | 4CK4 | 4CMR | 4CQ8 | 4CRW | 4CSD |
| 4CU9 | 4CUA | 4CXF | 4CXV | 4CZJ | 4CZX | 4D05 | 4D00 | 4DOY | 4D2C | 4D2O | 4D81 | 4D91 | 4D9S |
| 4DBG | 4DCB | 4DCZ | 4DEY | 4DGF | 4DGH | 4DHK | 4DI8 | 4DIX | 4DJB | 4DJG | 4DKC | 4DKN | 4DLH |
| 4DLQ | 4DM4 | 4DO4 | 4DO7 | 4DOI | 4DOK | 4DOO | 4DOV | 4DQ9 | 4DQZ | 4DS2 | 4DSD | 4DT5 | 4DTE |
| 4DY0 | 4DYH | 4DYN | 4DYW | 4DZM | 4DZZ | 4E15 | 4E19 | 4E1Y | 4E3Y | 4E57 | 4E5V | 4E5W | 4E6F |
| 4E7S | 4E8U | 4E94 | 4E9J | 4EBR | 4ECO | 4EDH | 4EE6 | 4EEI | 4EET | 4EF0 | 4EFO | 4EGO | 4EGD |
| 4EH1 | 4EHS | 4EHU | 4EIO | 4EI7 | 4EIB | 4EIR | 4EIS | 4EIV | 4EJR | 4EMT | 4EP4 | 4EPP | 4EQB |
| 4EQQ | 4ERC | 4ERY | 4ES8 | 4ETV | 4ETZ | 4EUK | 4EUU | 4EVQ | 4EVU | 4EVW | 4EW5 | 4EWI | 4EWL |
| 4EYG | 4EYZ | 4EZG | 4FOD | 4F14 | 4F1J | 4F27 | 4F3V | 4F3Y | 4F44 | 4F4F | 4F7K | 4F70 | 4 F 82 |
| 4FCH | 4FCZ | 4FD4 | 4FD9 | 4FDI | 4FDX | 4FDY | 4FEK | 4FET | 4FGQ | 4FHR | 4FID | 4FKB | 4FKZ |
| 4FP1 | 4FPW | 4FQ5 | 4FQD | 4FRF | 4FRX | 4FXQ | 4FYP | 4FYT | 4FZL | 4FZP | 4FZV | 4GOI | 4GOM |
| 4G0S | 4G1I | 4G2B | 4G2C | 4G2U | 4G37 | 4G3B | 4G3C | 4G3V | 4G4K | 4G4L | 4G4M | 4G6Q | 4G6U |
| 4G7X | 4G8K | 4G9M | 4G9S | 4GBF | 4GBO | 4GBS | 4GC1 | 4GCN | 4GCS | 4GE6 | 4GEK | 4GGG | 4GHB |
| 4GIW | 4GKC | 4GKF | 4GKG | 4GKM | 4GKP | 4GL6 | 4GMN | 4GNE | 4GNI | 4GNS | 4GNU | 4GOF | 4GQ6 |
| 4GUC | 4GVB | 4GVF | 4GVO | 4GXB | 4GXL | 4GYT | 4H05 | 4H0A | 4H0C | 4HOK | 4H2D | 4H4D | 4 H 51 |
| 4H5S | 4H61 | 4H6Q | 4H7X | 4 H 87 | 4H8F | 4H8M | 4HAP | 4HBQ | 4HC8 | 4HCE | 4 HCl | 4HDH | 4HEH |
| 4HEO | 4HEQ | 4HFS | 4HG2 | 4HH6 | 4HHV | $4 \mathrm{HI7}$ | $4 \mathrm{HI8}$ | 4HIA | 4 HIL | 4HJD | 4HJZ | 4HKE | 4HKG |
| 4HLO | 4HL2 | 4HLS | 4HN9 | 4HNE | 4HNH | 4HP8 | 4HQZ | 4HR1 | 4HRZ | 4HS5 | 4HSS | 4HT3 | 4HU5 |
| 4HW8 | 4 HWU | 4HWV | 4HY4 | 4 HYJ | 4HYL | 4HYN | 4HZR | 411K | 411 U | 412 Z | 413 G | 414K | 4140 |
| 415 T | 416P | 416 R | 4182 | 4184 | 4186 | 4193 | 4IB2 | 4ID2 | 4ID3 | 4IGA | 4IGW | 4IHE | 4 HZ |
| 4IJ5 | 4IJR | 4IJZ | 41 KN | 4ILO | 4ILV | 4IMQ | 4IN0 | 4IN9 | 4INA | 4INE | 4INO | 4 INZ | 4102 |
| 4IU3 | 4IUP | 4IX3 | 4IXA | 4IXJ | $41 \times N$ | 4IYB | 4IZB | 4IZK | 4J05 | 4J0X | 4 J 1 Y | 4J2G | 4 J 2 K |
| 4J3H | 4J5R | 4 J 60 | 4 J 73 | 4J7Q | 4J8B | 4J8C | 4J8E | 4J8S | 4J9C | 4JBS | 4JCH | 4JCW | 4JDE |
| 4JE1 | 4JE6 | 4JEM | 4JES | 4JF3 | 4JGG | 4JGI | 4JGP | 4JGW | 4JGX | 4JIX | 4JJo | 4JJH | 4JK8 |
| 4JLI | 4JMD | 4JN3 | 4JOQ | 4JPQ | 4JQT | 4JR6 | 4JT4 | 4JUI | 4JVU | 4JX0 | 4JXB | 4JXD | 4JXE |
| 4JY3 | 4JZP | 4JZQ | 4JZZ | 4K00 | 4K02 | 4K05 | 4KOD | 4K12 | 4K1C | 4K28 | 4K2W | 4K35 | 4K3L |
| 4K4K | 4K5A | 4K6J | 4K7J | 4K7K | 4 K 8 Y | 4K9Q | 4KBM | 4KCE | 4KDX | 4KED | 4KF8 | 4KFS | 4KFW |
| 4KGD | 4KGH | 4KH6 | 4KH7 | 4KH9 | 4KHO | 4KJM | 4KJR | 4KMD | 4KN8 | 4KNC | 4KNK | 4KP2 | 4KPO |
| 4KQR | 4KRG | 4KRT | 4KT1 | 4KT3 | 4 KTW | 4KUJ | 4KUN | 4KV2 | 4KV9 | 4KWY | 4KX8 | 4KYU | 4KYX |
| 4L00 | 4LOR | 4L3N | 4L3R | 4L3T | 4L4W | 4L51 | 4L5G | 4L68 | 4L6S | 4L6U | 4L7A | 4L7X | 4L8I |
| 4L90 | 4L9U | 4LA2 | 4LAS | 4LBA | 4 LCl | 4LE7 | 4LEB | 4LEC | 4LIR | 4LJI | 4LJL | 4LK2 | 4LLD |
| 4LN2 | 4LN9 | 4LNL | 4LOW | 4LP4 | 4LPS | 4LQ8 | 4LQC | 4LQX | 4LS4 | 4LUB | 4LV5 | 4LW8 | 4LWK |
| 4LXO | 4LXQ | 4 MOH | 4M1A | 4M1B | 4M1Q | 4M3O | 4M4D | 4M8R | 4M91 | 4MAC | 4MAE | 4MAK | 4MAL |
| 4MDU | 4ME9 | 4MES | 4MF9 | 4MG3 | 4MH1 | 4MHV | 4MIK | 4MIX | 4MJ2 | 4MJD | 4MJG | 4MJK | 4MLM |
| 4MLZ | 4MM2 | 4MMG | 4MN5 | 4MN7 | 4MNW | 4MO1 | 4MOV | 4MPB | 4MPM | 4MPS | 4MQB | 4MR0 | 4MTL |
| 4MUV | 4MVE | 4MW0 | 4MY6 | 4MYA | 4MYP | 4MYV | 4MZ3 | 4MZJ | 4MZZ | 4N01 | 4N04 | 4N06 | 4NOK |
| 4NOR | 4NOV | 4N3P | 4N3V | 4 N 4 U | 4N6A | 4N6C | 4N6F | 4N7F | 4N7W | 4N82 | 4N8O | 4N8Y | 4N9Z |
| 4NC7 | 4NCR | 4NE2 | 4NET | 4NFC | 4NHB | 4NIR | 4NJH | 4NKT | 4NN2 | 4NOF | 4 NOH | 4NPL | 4NQ8 |
| 4NSD | 4NSV | 4NTG | 4NTQ | 4NWO | 4NX8 | 4NZV | 401J | 401s | 4 O 2 H | 4021 | 402T | 4 O V | 4042 |
| 405P | 4071 | 407H | 407J | 408 V | 409D | 409K | 4095 | 4OEV | 4OF6 | 4OFK | 4OFQ | 40H7 | 40 HJ |
| 40K9 | 4OKE | 4OLK | 40LT | 40M7 | 40MV | 4ON1 | 40NW | 4ONY | 4000 | 4004 | 40PM | 4OTE | 4OUC |
| 40Vs | 40VT | 40WI | 40X6 | 4OZE | 4P0J | 4POT | 4P21 | 4P2L | 4P32 | 4P3F | 4P5E | 4P5F | 4P5N |
| 4P7B | 4P7C | 4P70 | 4P93 | 4PAB | 4PAS | 4PE0 | 4PFZ | 4PH8 | 4PI3 | 4PIC | 4PID | 4PIV | 4PKC |
| 4PM4 | 4PMK | 4PMO | 4PN6 | 4PO6 | 4POW | 4PQ1 | 4PQ9 | 4PR3 | 4PSF | 4PSR | 4PTB | 4PUI | 4PVC |
| 4PXW | 4PXY | 4PYS | 4PZ7 | 4Q14 | 4Q2T | 4Q3H | 4Q4K | 4Q53 | 4Q5G | 4Q60 | 4Q69 | 4Q6J | 4Q6U |
| 4Q7E | 4Q70 | 4Q7Q | 4Q82 | 4Q88 | 4Q8L | 4Q9A | 4Q9B | 4Q9T | 4Q9W | 4QAK | 4QAM | 4QAN | 4QAS |
| 4QBN | 4QC6 | 4QE0 | 4QF3 | 4QGO | 4QHJ | 4Q10 | 4QJB | 4QJI | 4QM9 | 4QMI | 4QO2 | 4QPM | 4QPV |
| 4QSE | 4QT9 | 4QUV | 4QWO | 4QYB | 4R01 | 4R1K | 4R1S | 4R23 | 4R7X | 4 R 80 | 4R86 | 4R80 | 4R8R |
| 4R9X | 4RD8 | 4RHA | 4RHP | 4RK6 | 4RK9 | 4RPC | 4RS2 | 4TKR | 4TL1 | 4TMX | 4TQL | 4TR6 | 4TR7 |


|  | 4U13 | 4U4 | 4 U 99 | 4U9C |  |  |  |  |  | 4UQY |  | 4USQ | 4UUU |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |

## A. 2 Testing Set PDB codes

| 3L6U | 1Y2K | 2WW4 | 1IFQ | 2WNS | 2F06 | 2WNW | 2OFK | 2BKX | 4PFY | 4FAJ | 4GAI | 4089 | 3WPU |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1AE9 | 2 PMQ | 2GAX | 3T7Y | 1VQ0 | 1P1C | 3RPD | 3LLH | $107 Z$ | 1PL3 | 3ANO | 2DST | 3T7H | 10 B 8 |
| 1EP3 | 4HU4 | 3MTX | 4PMZ | 1N7K | 3SNX | 4NV5 | 2P97 | 4EFP | 4NV0 | 1R1G | 1XFF | 3LJD | 3PNA |
| 4DFR | 4QXD | 4C27 | 1000 | 3NCV | 3N8H | 4AR9 | 3ORE | 3H8K | 1MSP | 3 POA | 4JG9 | 1HDH | 4KS9 |
| 2 VIF | 3LOS | 1SE0 | 4A27 | 4IPV | 3QIV | 1XXL | 4PU7 | 4KW3 | 1 F74 | 2VLI | 4BUB | 3W42 | 419F |
| 3KWS | 3MJE | 4TVY | 3LYN | 2F22 | 1 LBV | 4R33 | 1AQL | $4 \mathrm{IC3}$ | 1NRJ | 4KXQ | 3D3M | 3D30 | 1DBX |
| 4JTM | 4ALY | 1QOR | 4IGQ | 2Q7S | 1 RKU | 1TV8 | 2AVT | 1 EX2 | 1XO1 | 3CWR | 2V6X | 3D3W | 2VT8 |
| 10F5 | 2W70 | 4P3H | 2QAS | 3GWO | 3KAL | 3C3K | 3NUA | 4LZF | 3 ZXO | 1XX6 | 2BE3 | 3GMX | 4HFM |
| 3AOS | 2XZO | 3CGG | 2W9M | 4B9F | 3NEH | 31 EV | 3071 | 1 Y 89 | 3VB8 | 3P8A | 3RC8 | 2NNC | 3QR3 |
| 3TJ8 | 4JIF | 3B0Z | 3MMH | 4K70 | 4 CMP | 3QKX | 1 JY 5 | 2RE3 | 4GER | 4AB5 | 4LEV | 4MS4 | 4N65 |
| 4V24 | 4M8K | 3VOT | 2EPG | 1 Q60 | 3W20 | 2VOP | 2WH6 | 1QWR | 3 U 4 V | 20KF | 2D4Y | 3AJG | 1Y6Z |
| 4BE3 | 4TPW | 4GUD | 1158 | 4HQM | 3 C 81 | 1VKY | 1S1D | 4 PQH | 3L41 | 200Q | 1JR8 | 3BOF | 3PQC |
| 3C8Z | 4WSO | 4EAE | 21 HY | 3HZ4 | 3MES | 3KOJ | 4LHK | 4PAG | 4TWC | 3 H 3 H | 2EKO | 4N6J | 3RG9 |
| 2WT9 | 2QZT | 4GD5 | $3 \mathrm{CB7}$ | 2HXR | 3TG9 | 2 FFY | 2AC7 | 3RT9 | 1TW0 | 4GRJ | 4ACY | 1DMU | 1KW2 |
| 3FPQ | 3 F 52 | 1L8D | 3MOL | 4KE7 | 3B2Y | 2 C 3 V | 3UOR | 4EBG | 215 E | 256B | 30TX | 4ART | 4OSE |
| 1KZQ | 4PSE | 4CGX | 4BQM | 4UVJ | 4PZ4 | 2CD9 | 3FHU | 21 KK | 1G4M | 3 POJ | 1D4T | 3NMR | 3PP2 |
| 4L9D | 4M66 | 4L9A | 3KST | 2FAW | 3BFQ | 3LMB | 30JI | 2J15 | 2JBA | 2IUT | 3CSX | 2JBH | 2QTW |
| 2AJ7 | 1PCX | 4GT4 | 4061 | 1GGP | 21 FT | 3R8C | 3HVA | 3TJ4 | 1 AOC | 4OBE | 1PSR | 4RCM | 10AH |
| 1AOZ | 2YPD | 416G | 3D8P | 4B7L | 3NAR | 4PZA | 206K | 4 K 92 | 3FFV | 3BQA | 2XH3 | 2145 | 1VR9 |

